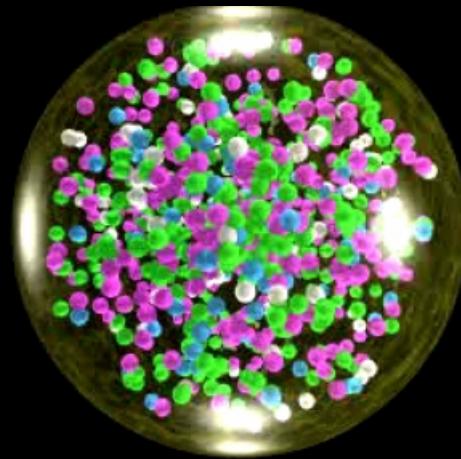
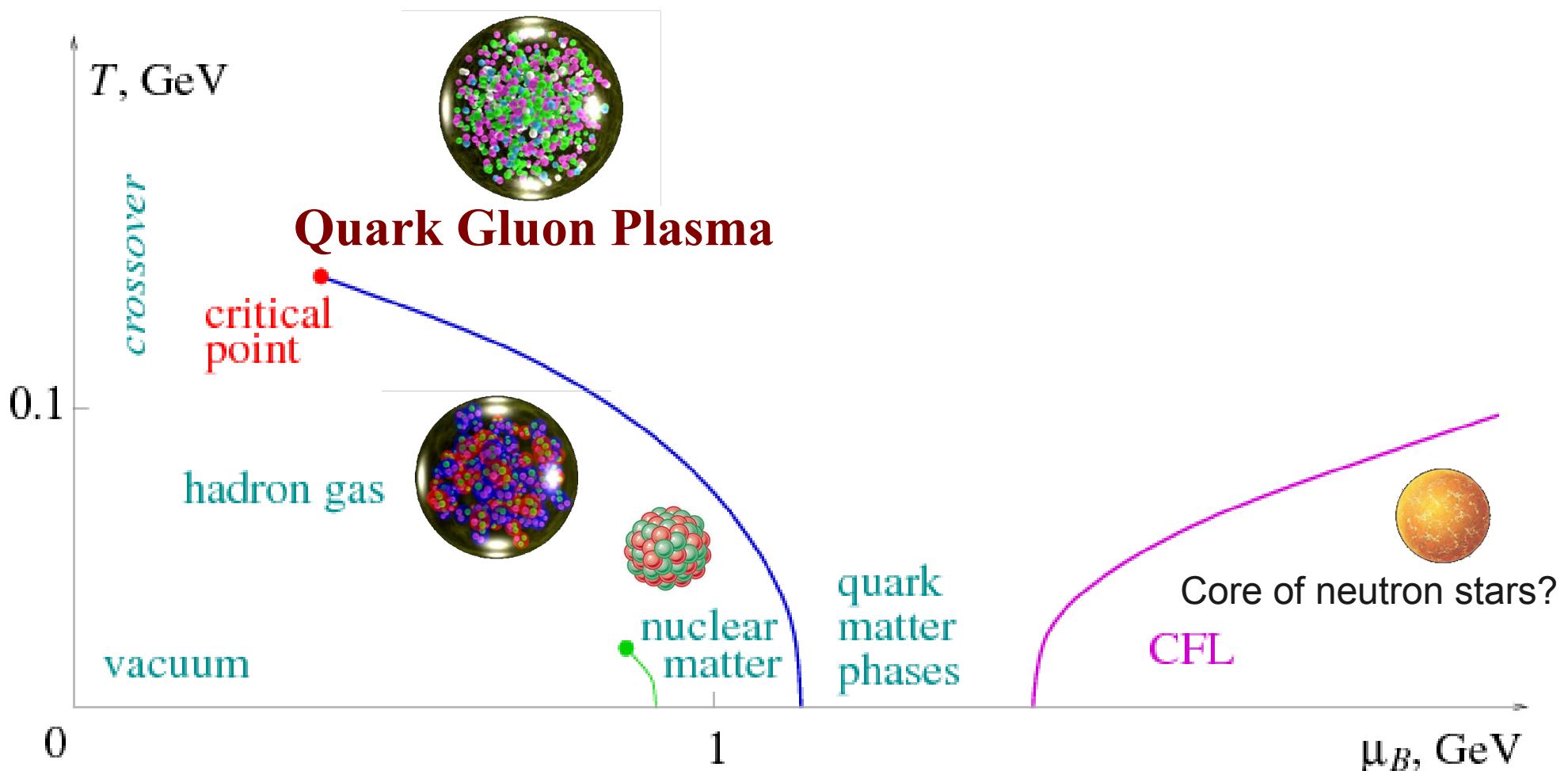


The little bang: probing the quark gluon plasma



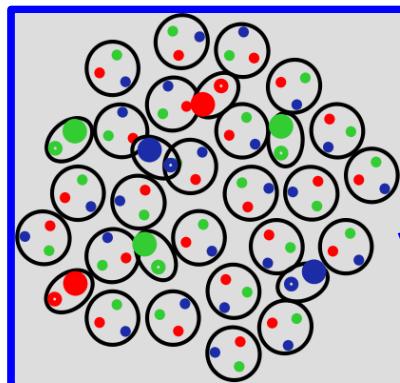
*Christine Nattrass
University of Tennessee at Knoxville*

Phase diagram of nuclear matter

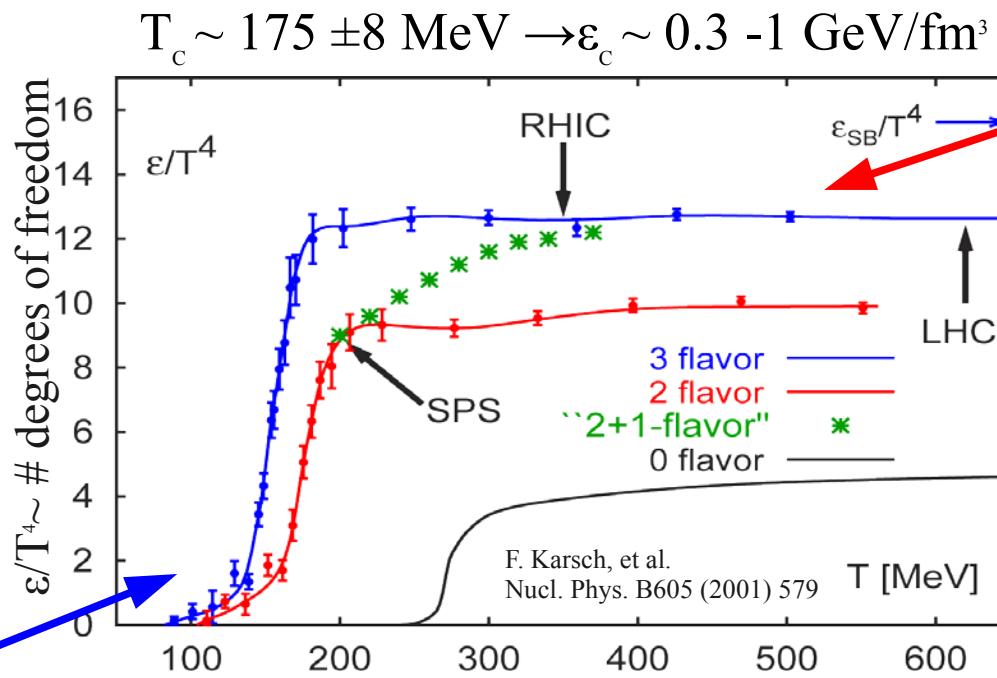


Quark Gluon Plasma – a *liquid* of quarks and gluons created at temperatures above $\sim 170 \text{ MeV} (2 \cdot 10^{12} \text{ K})$ – over a million times hotter than the core of the sun

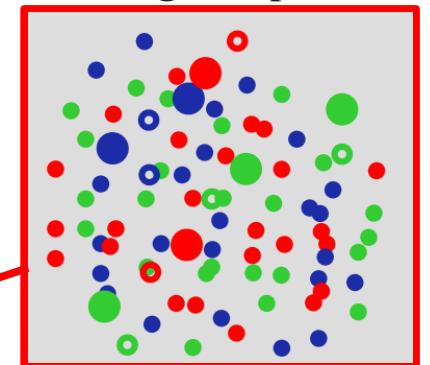
Exploring QCD at high temperatures



Confined - fewer
degrees of freedom

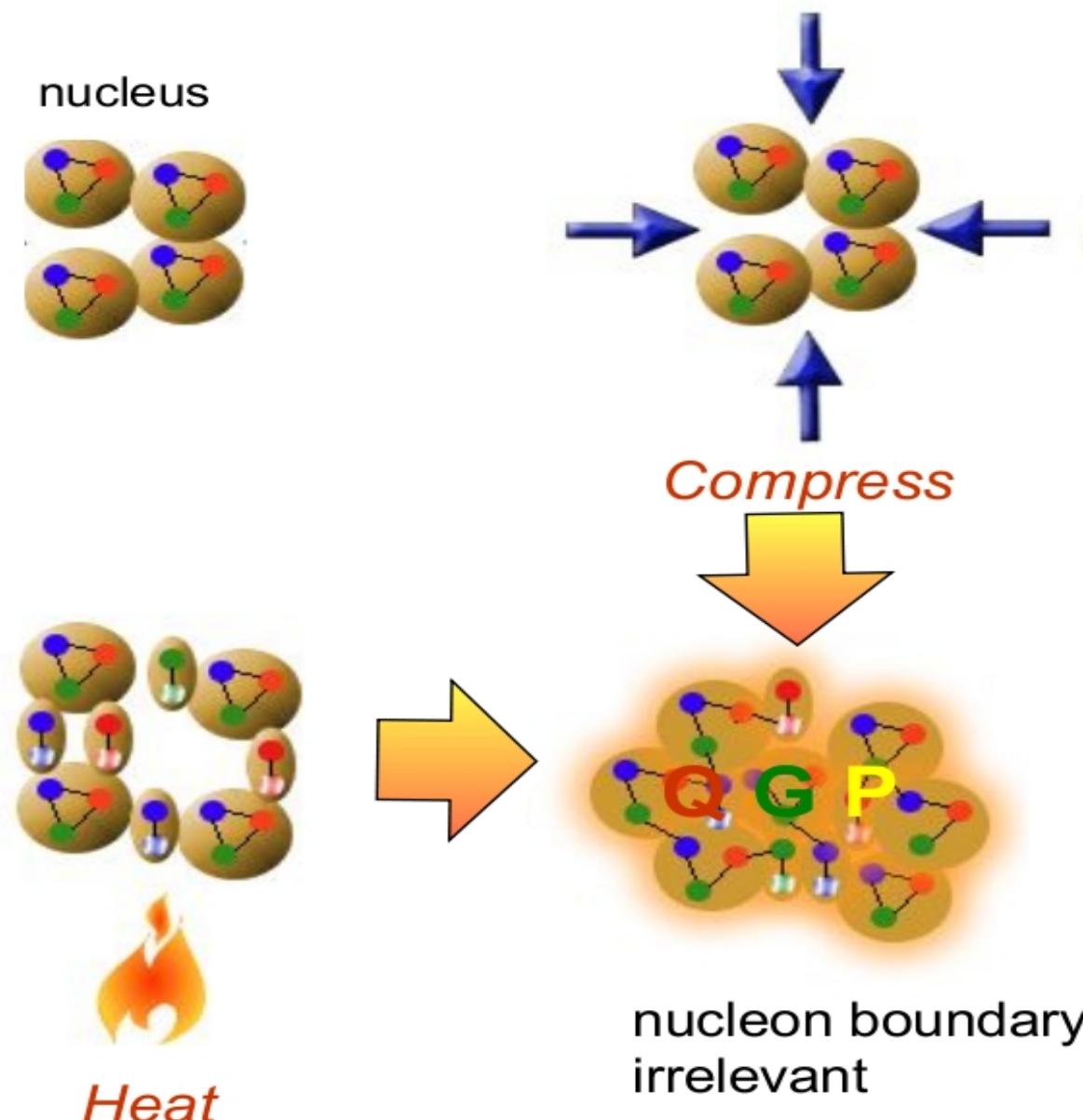


Quark-gluon plasma

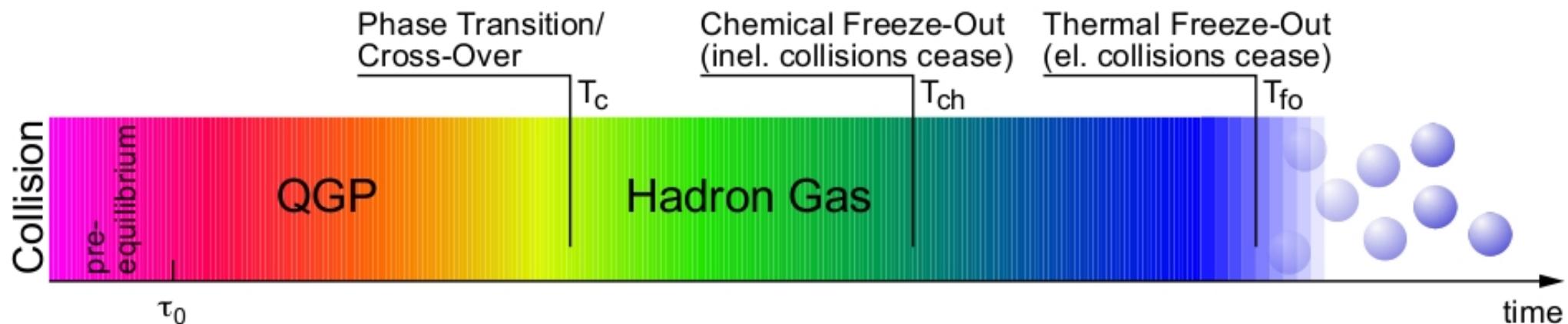
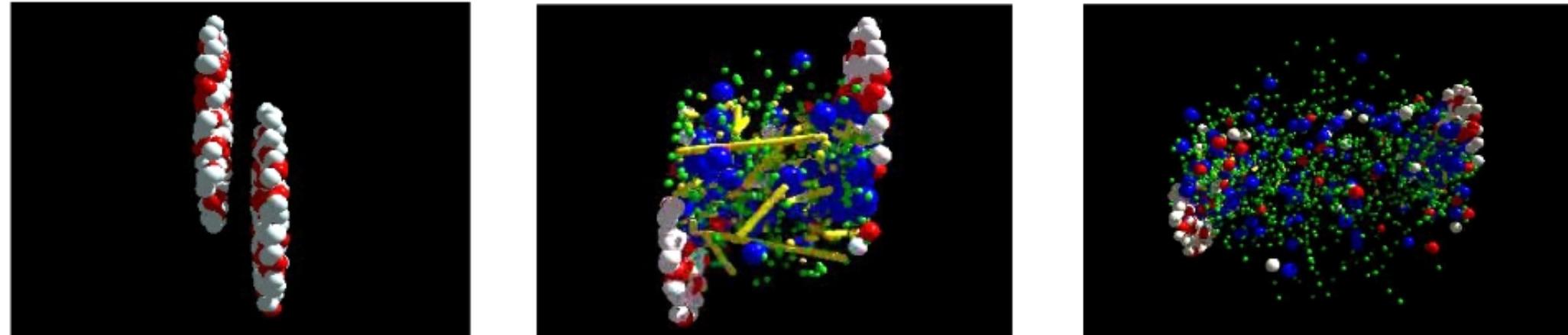


Deconfined - more
degrees of freedom

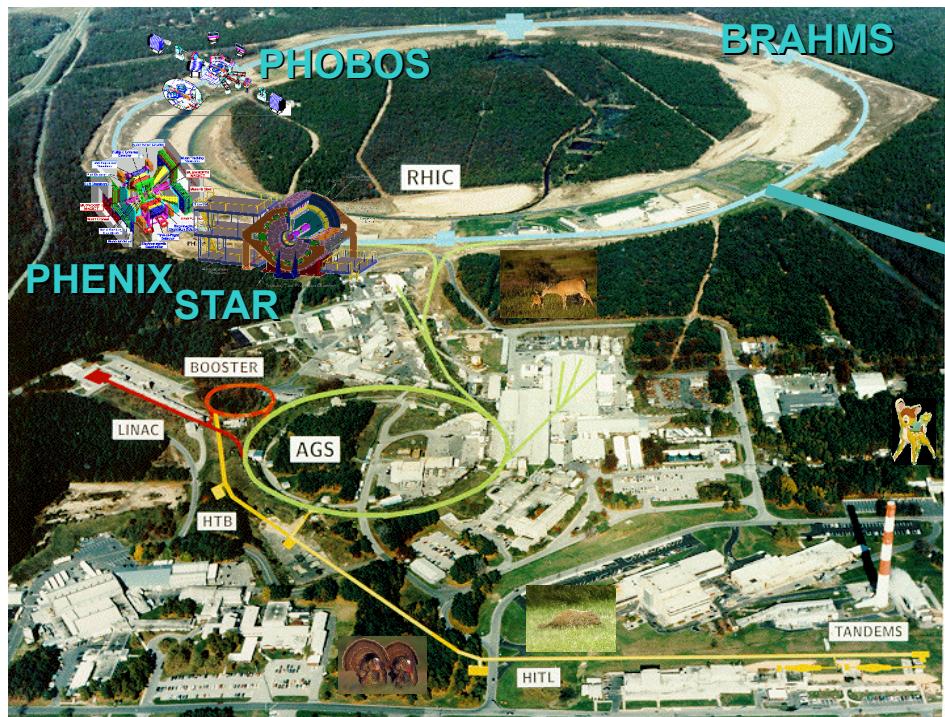
How to make a Quark Gluon Plasma



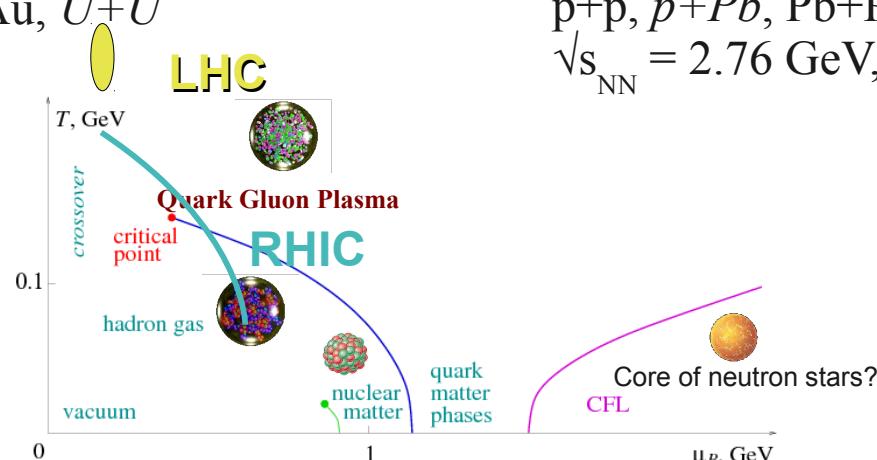
The phase transition in the laboratory



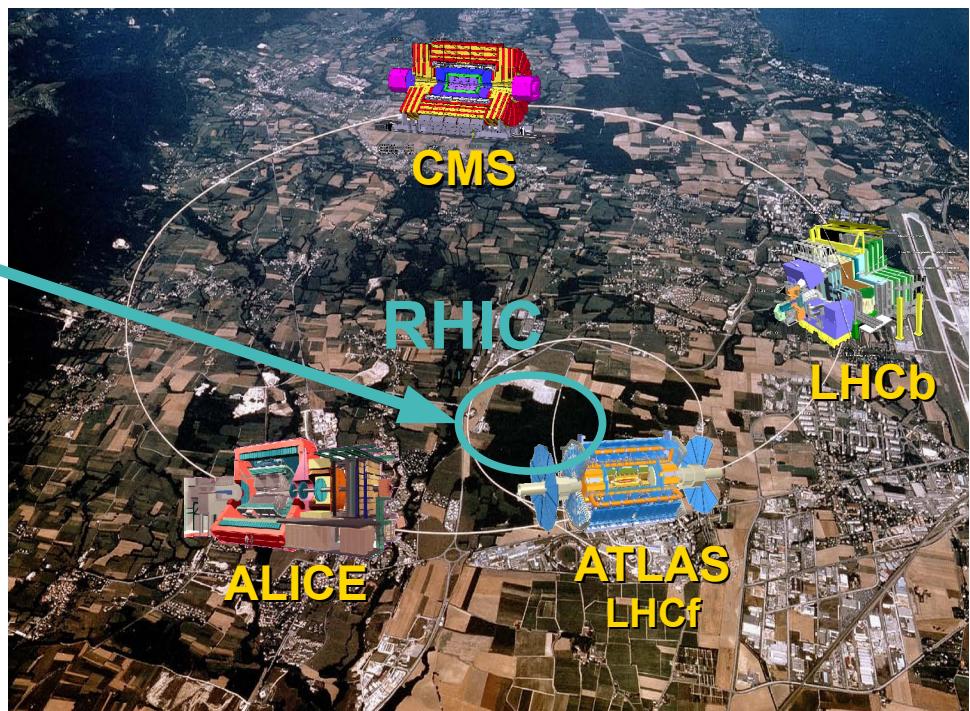
Relativistic Heavy Ion Collider



Upton, NY
1.2km diameter
 $p+p, d+Au, Cu+Cu, Au+Au, U+U$
 $\sqrt{s_{NN}} = 9 - 200 \text{ GeV}$



Large Hadron Collider



Geneva, Switzerland
8.6km diameter
 $p+p, p+Pb, Pb+Pb$
 $\sqrt{s_{NN}} = 2.76 \text{ GeV}, 5.5 \text{ TeV}$

Comparison of colliders

	RHIC	LHC	
\sqrt{s}_{NN} (GeV)	9-200	2760, 5500	<i>center of mass energy</i>
$dN_{\text{ch}}/d\eta$	~ 1200	~ 1600 , ??	<i>number of particles</i>
T/T_c	1.9	3.0-4.2	<i>temperature</i>
ε (GeV/fm ³)	5	~ 15	<i>energy density</i>
τ_{QGP} (fm/c)	2-4	>10	<i>lifetime of QGP</i>

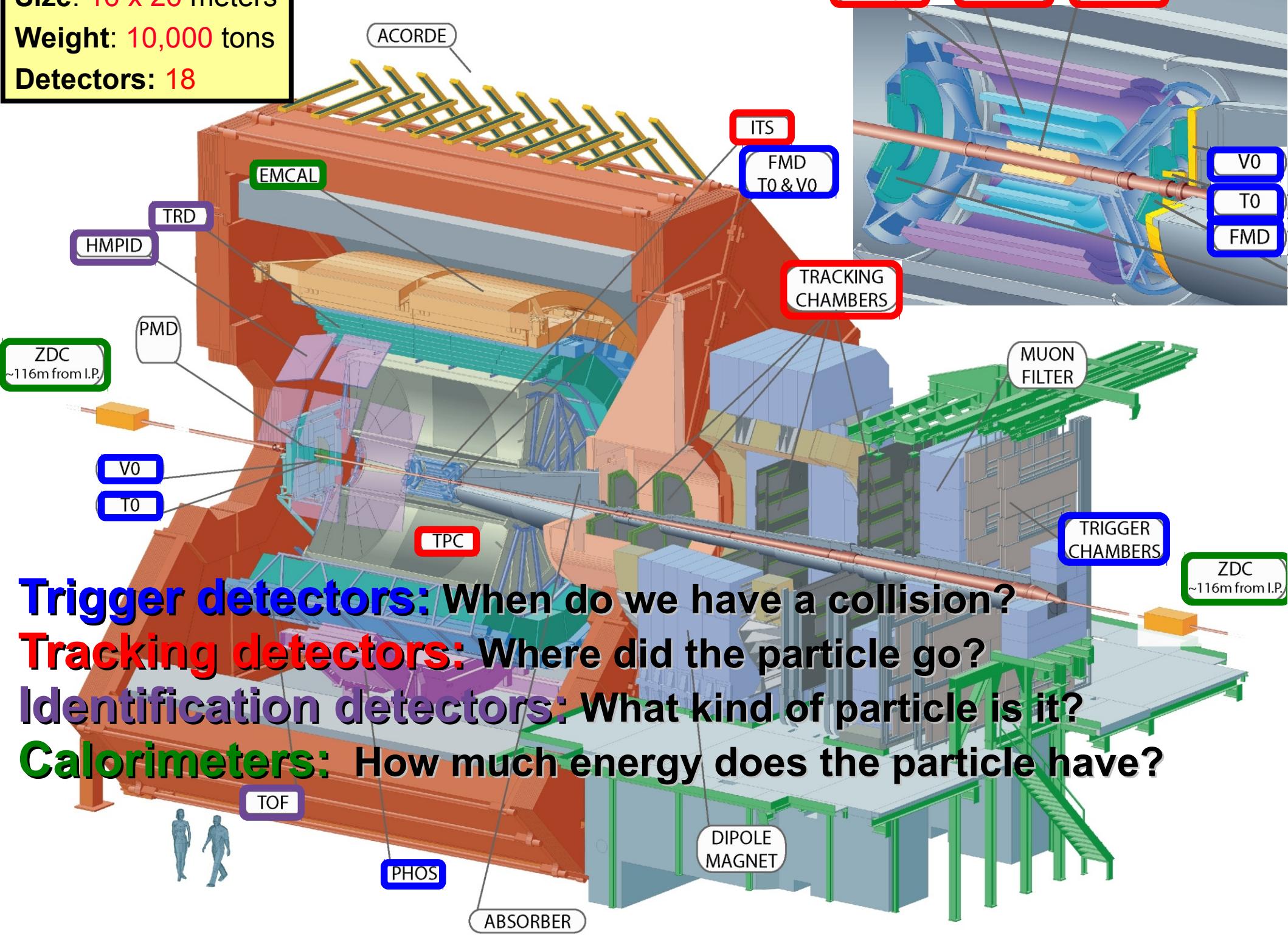
RHIC and LHC:

Cover 2 – 3 decades of energy ($\sqrt{s}_{\text{NN}} = 9 \text{ GeV} - 5.5 \text{ TeV}$)

To discover the properties of hot nuclear matter at $T \sim 150 - 600 \text{ MeV}$

Size: 16 x 26 meters
Weight: 10,000 tons
Detectors: 18

Strip Drift Pixel



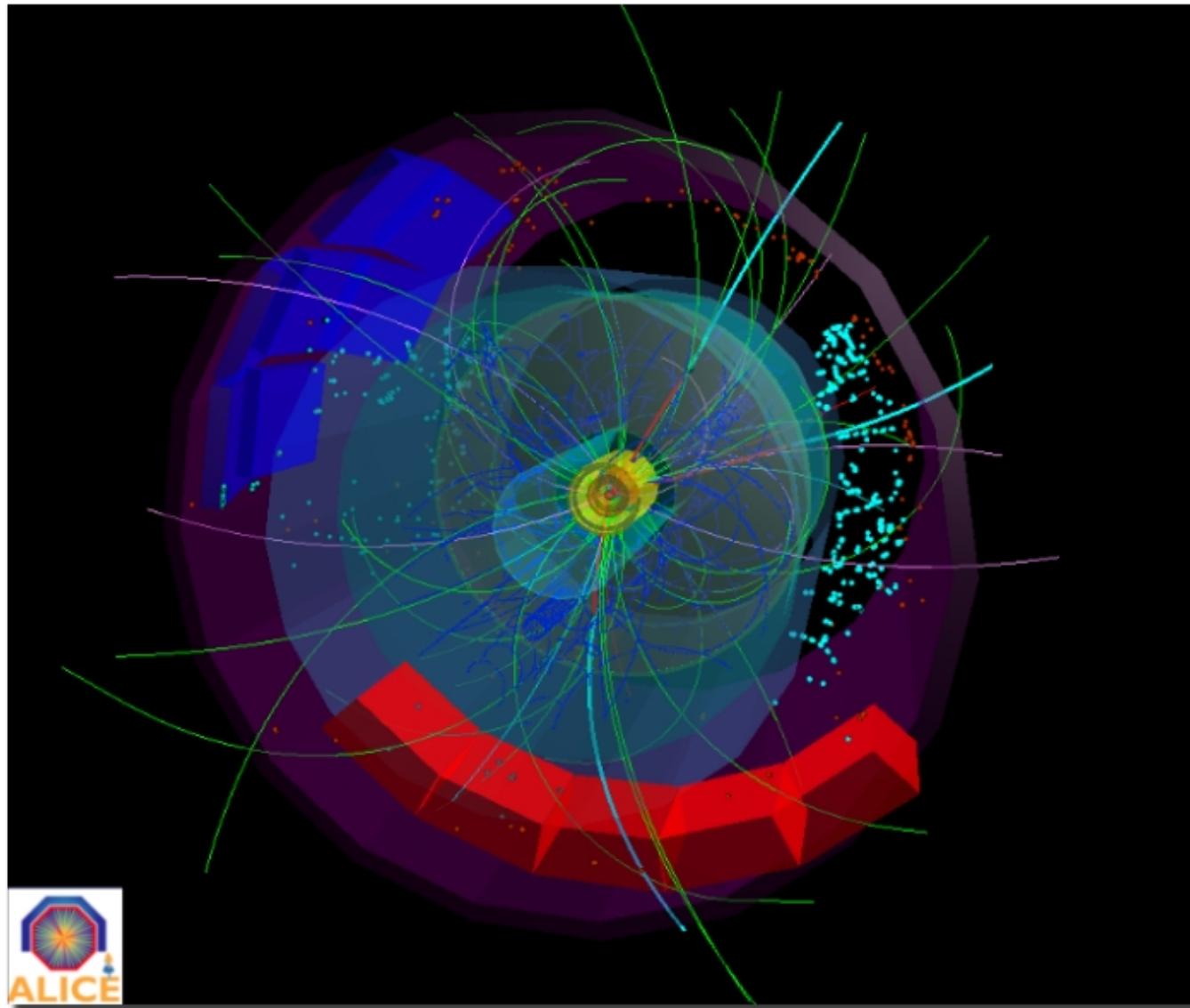
Trigger detectors: When do we have a collision?

Tracking detectors: Where did the particle go?

Identification detectors: What kind of particle is it?

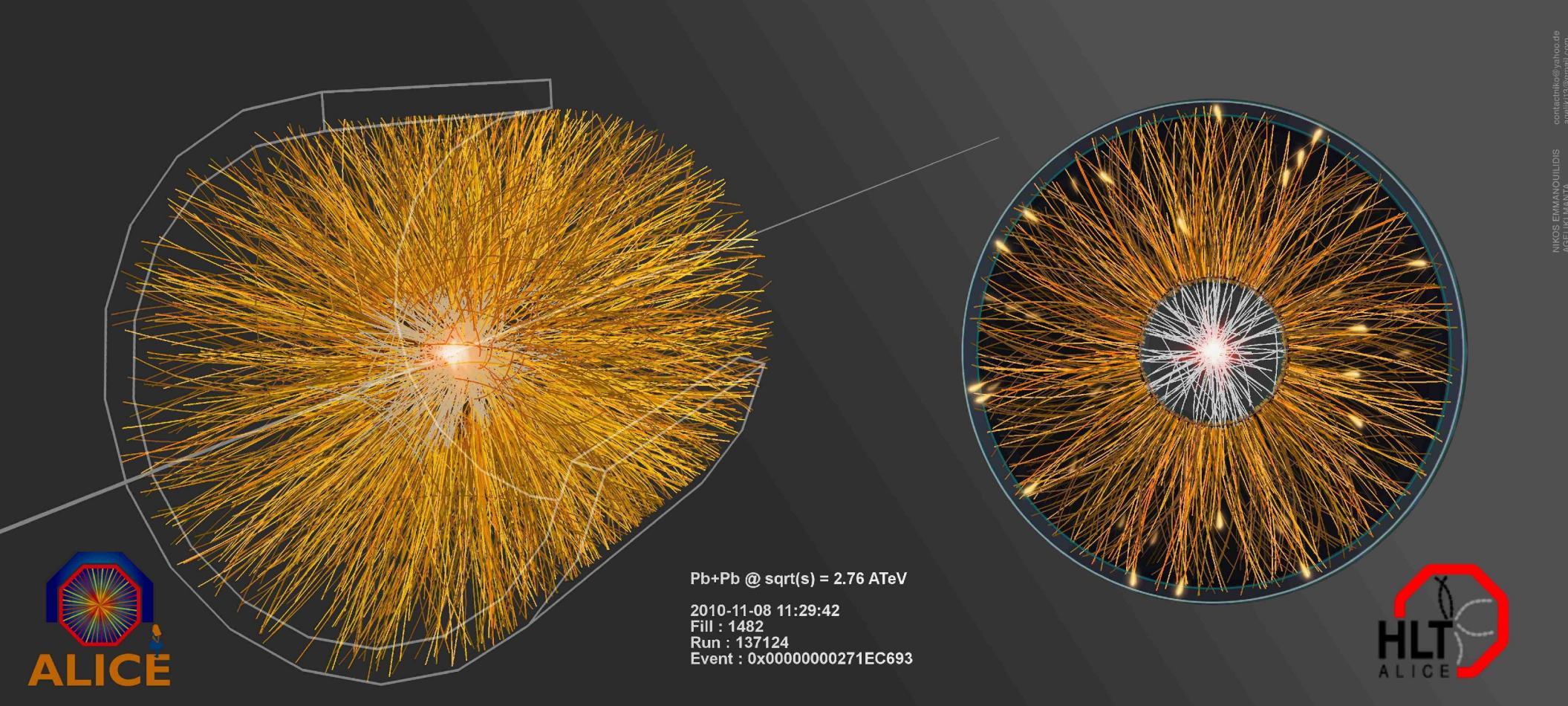
Calorimeters: How much energy does the particle have?

p+p collisions



3D image of each collision

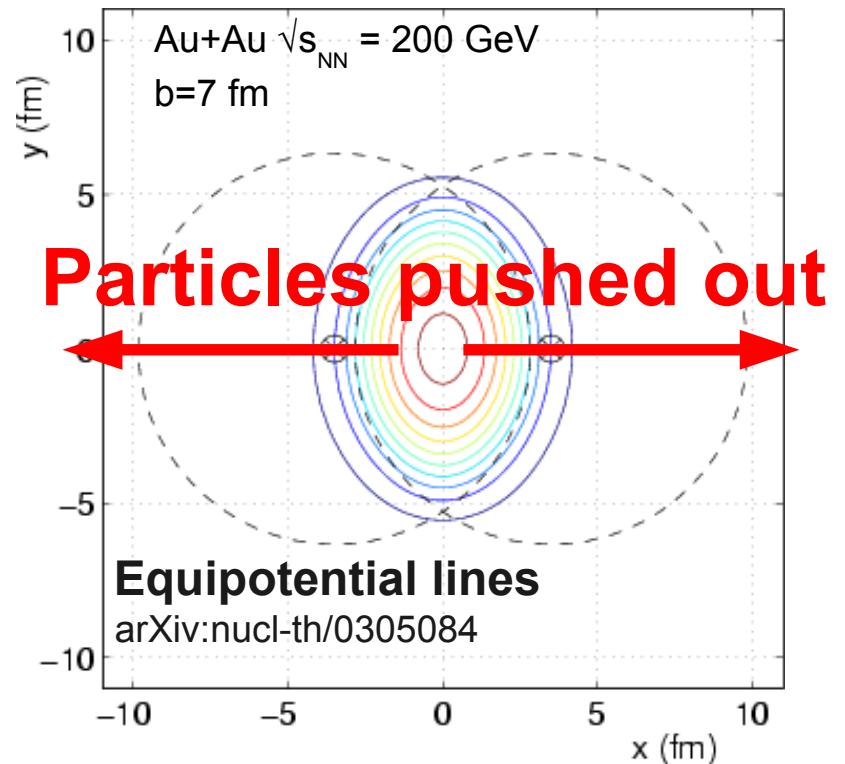
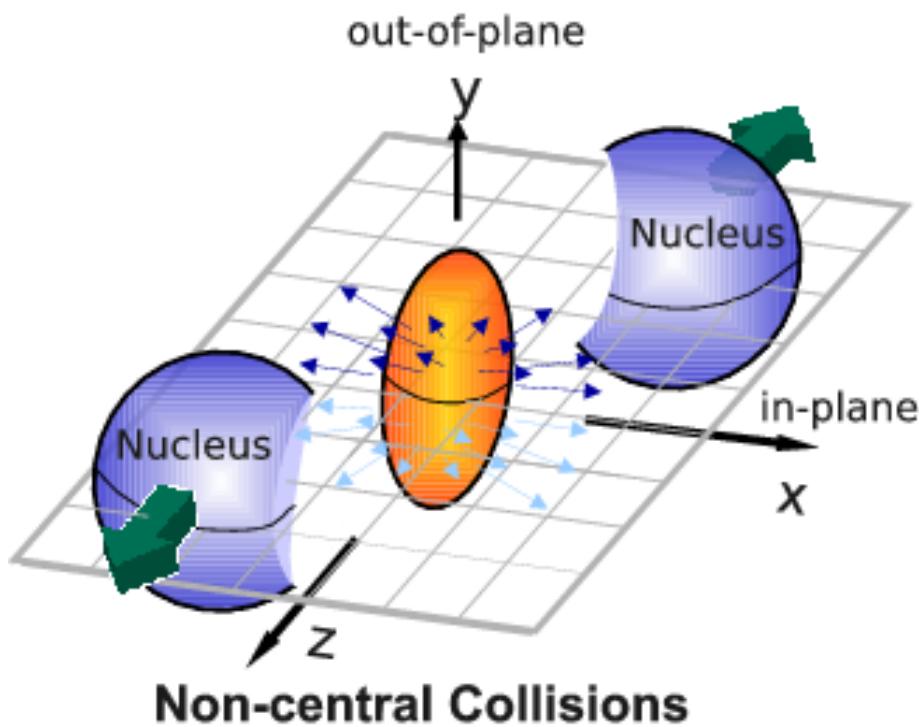
Pb+Pb collisions



How do we study a QGP?

Tool	Analogous to:
Hard probes – jets, heavy flavor (charm & beauty), direct photons	Spectroscopy – probe travels through the medium, changes indicate interaction with the medium
Hydrodynamical flow	Measurements of viscosity
Particle ratios	Measuring chemical composition in a solution
Thermal photons, charmonium	Thermometer

If we have a fluid...

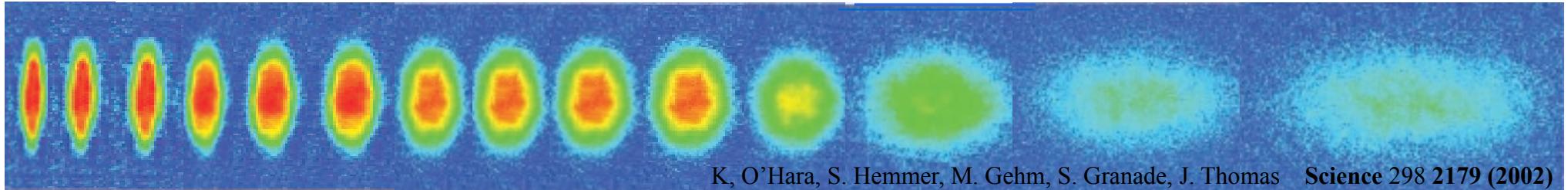


- Initial overlap asymmetric \rightarrow pressure gradients
- Momentum anisotropy \rightarrow Fourier decomposition:

$$\frac{d^2 N}{dp_T d\phi} \approx 1 + 2v_1 \cos(d\phi) + 2v_2 \cos(2d\phi) + 2v_3 \cos(3d\phi) + 2v_4 \cos(4d\phi) + 2v_5 \cos(5d\phi) + \dots$$

What does it mean?

Same phenomena observed in gases of strongly interacting atoms

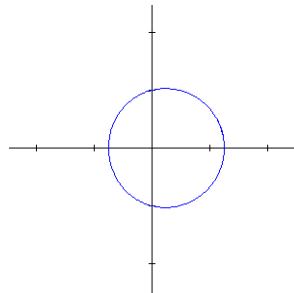


Time →

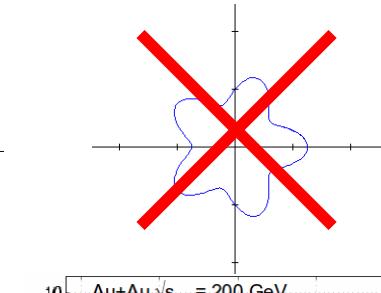
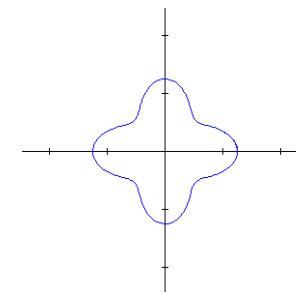
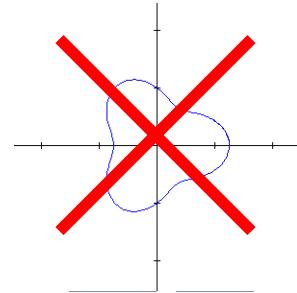
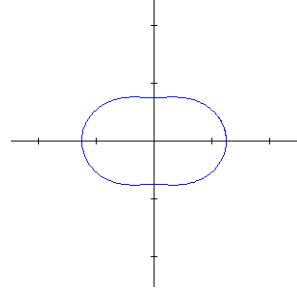
Initial state anisotropies converted to final state anisotropies

Fourier decomposition:

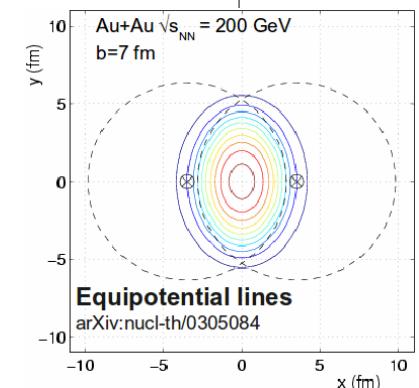
$$\frac{d^2 N}{dp_T d\phi} \approx 1 + 2v_1 \cos(d\phi) + 2v_2 \cos(2d\phi) + 2v_3 \cos(3d\phi) + 2v_4 \cos(4d\phi) + 2v_5 \cos(5d\phi) + \dots$$



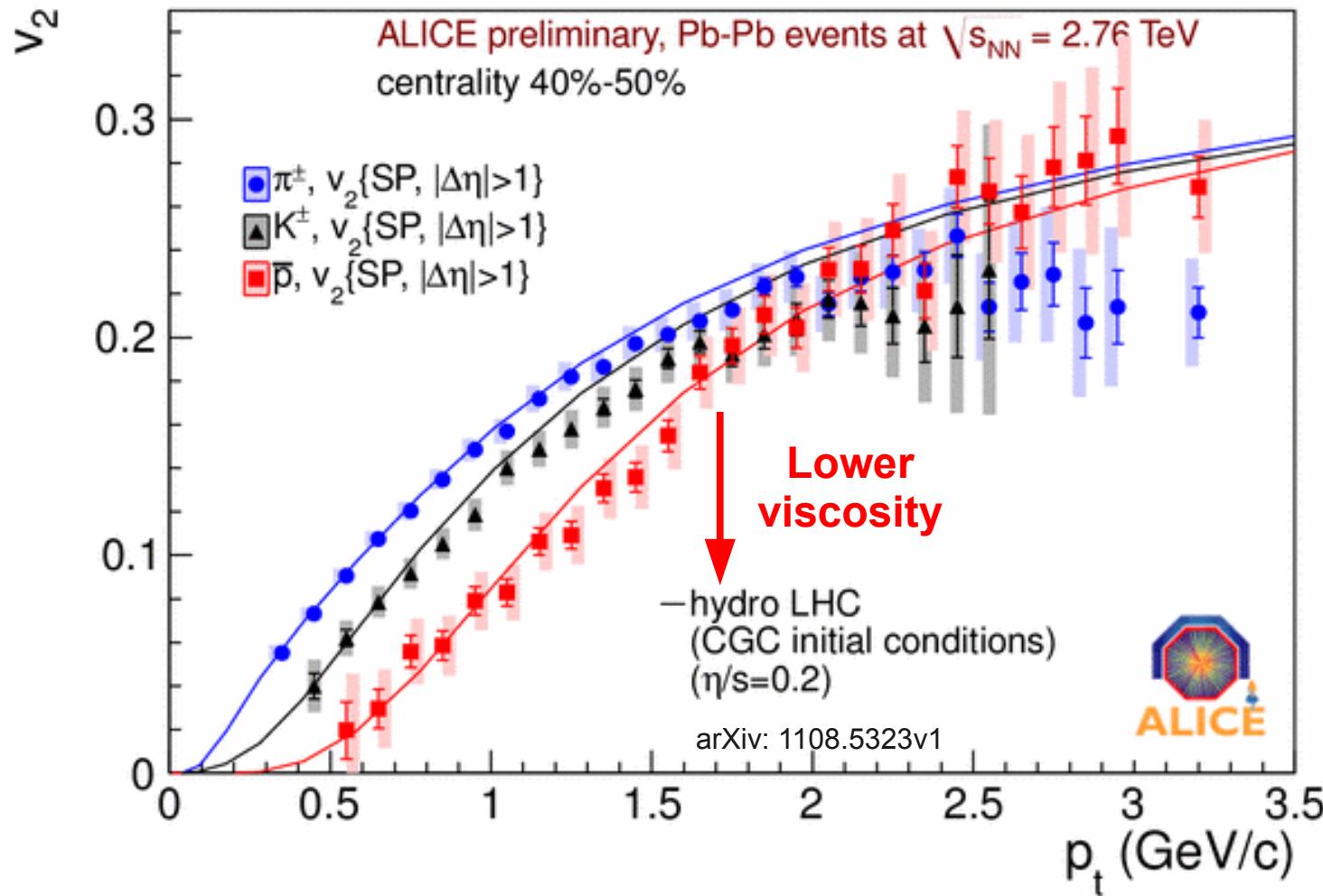
Offset
measured



**Nuclei are symmetric →
No odd coefficients**



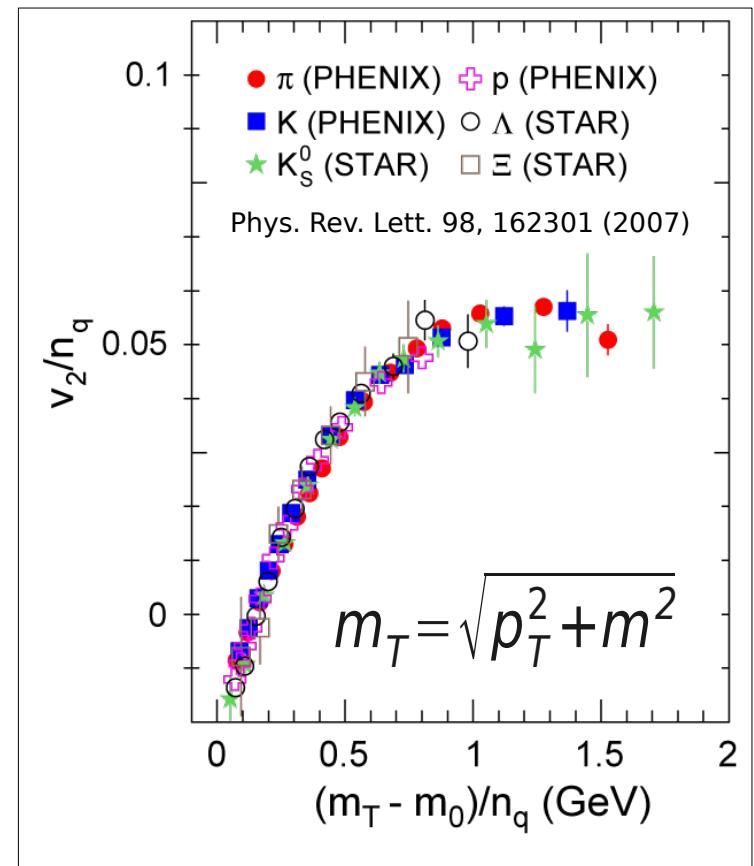
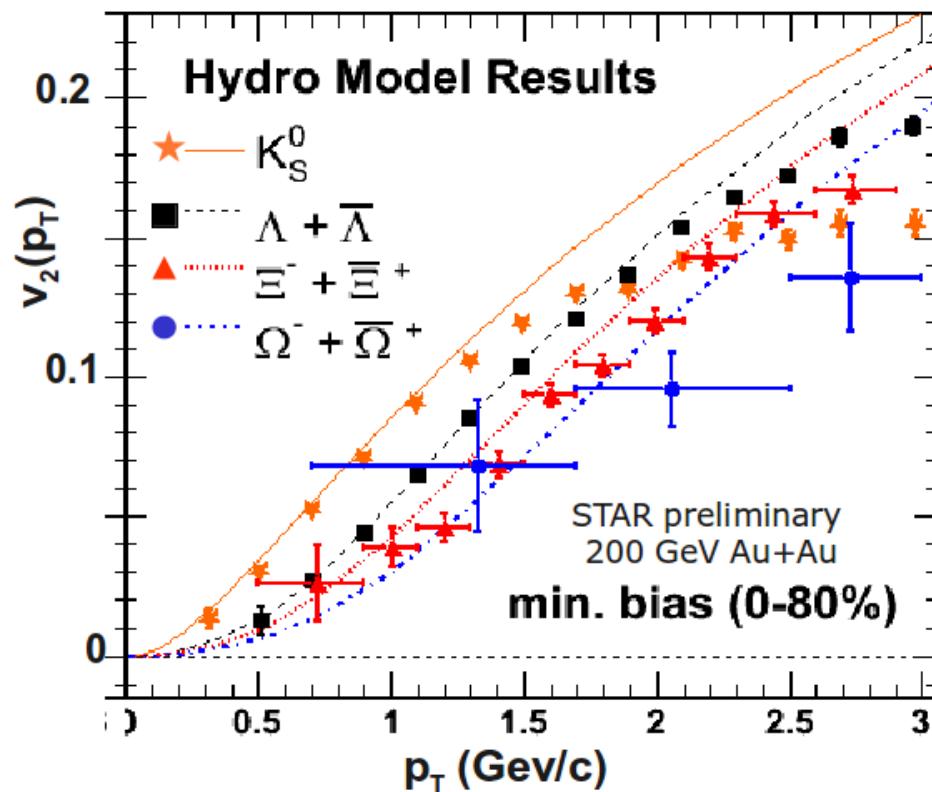
Does this describe the data?



ALI-PREL-2457

Yes!

More data



Mass ordering:

$$v_2(K) > v_2(\Lambda) > v_2(\Xi)$$

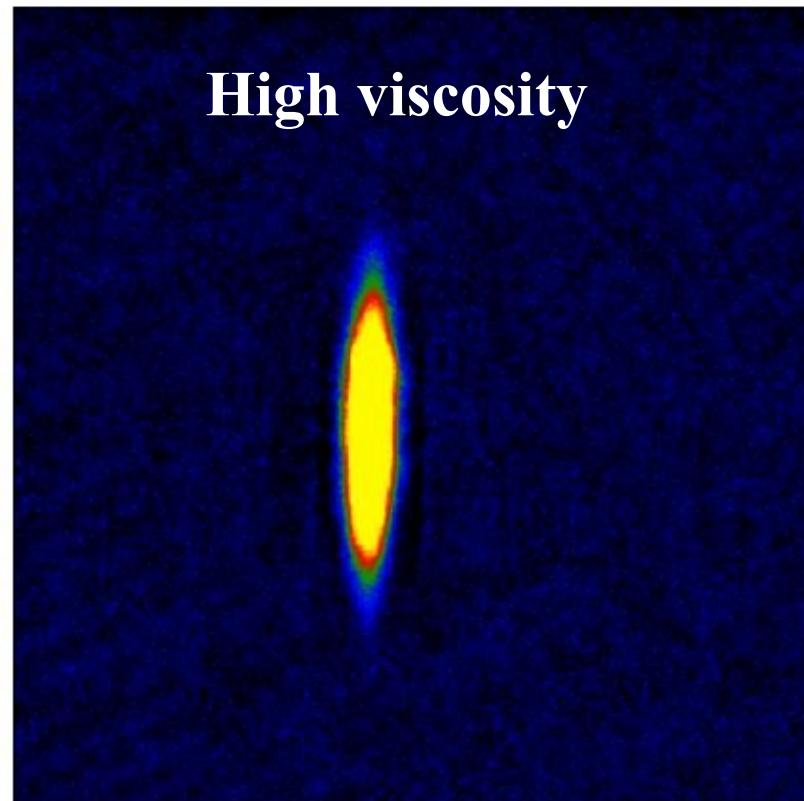
$$v_2(p_T^{\text{hadron}}) \mu n_{\text{quark}} v_2(p_T^{\text{quark}})$$

We have a liquid of quarks and gluons!

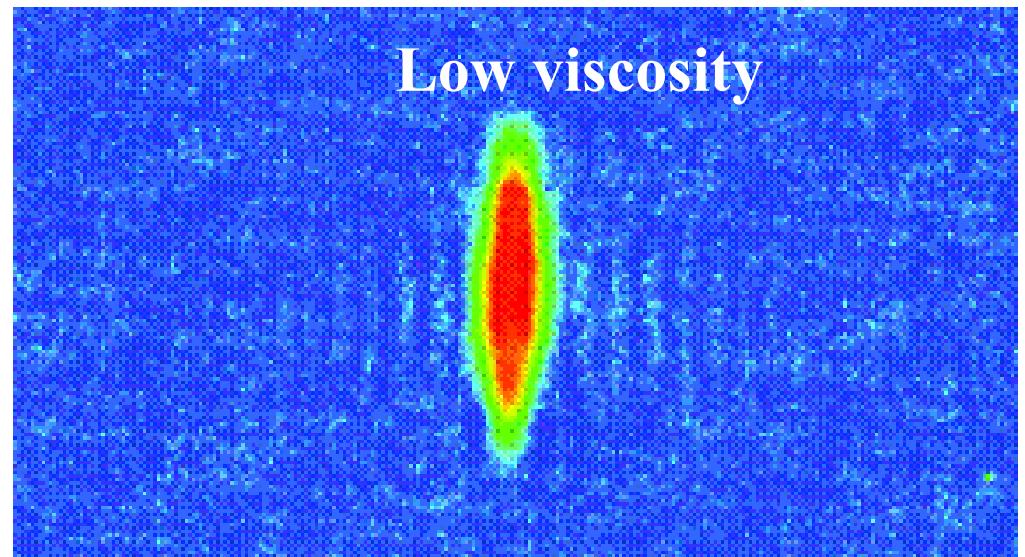
What does this mean?

- Same phenomena observed in gases of strongly interacting atoms
 - K. O'Hara, S. Hemmer, M. Gehm, S. Granade, J. Thomas *Science* 298 2179 (2002)

High viscosity



Low viscosity



What does this mean?

- Same phenomena observed in gases of strongly interacting atoms
 - K, O'Hara, S. Hemmer, M. Gehm, S. Granade, J. Thomas *Science* 298 2179 (2002)

High viscosity

Low viscosity

The Quark Gluon Plasma has a very low viscosity

But what does this mean?

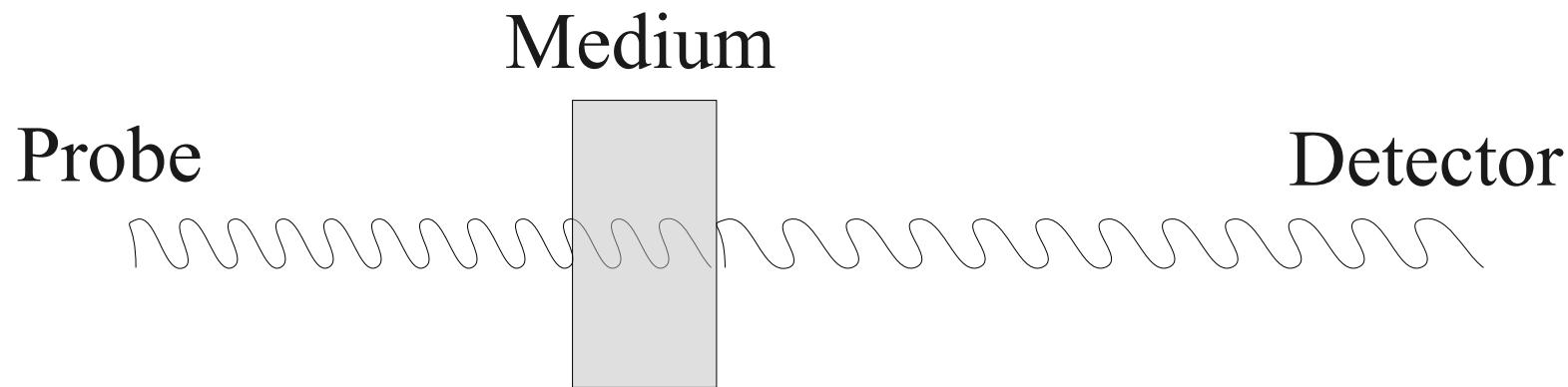
- Hydrodynamics works →
 - (local) thermalization
 - image of the initial state
- Really low viscosity
 - Near AdS/CFT bound
 - $\eta/S \sim 1/4\pi$



The QGP is the perfect liquid!

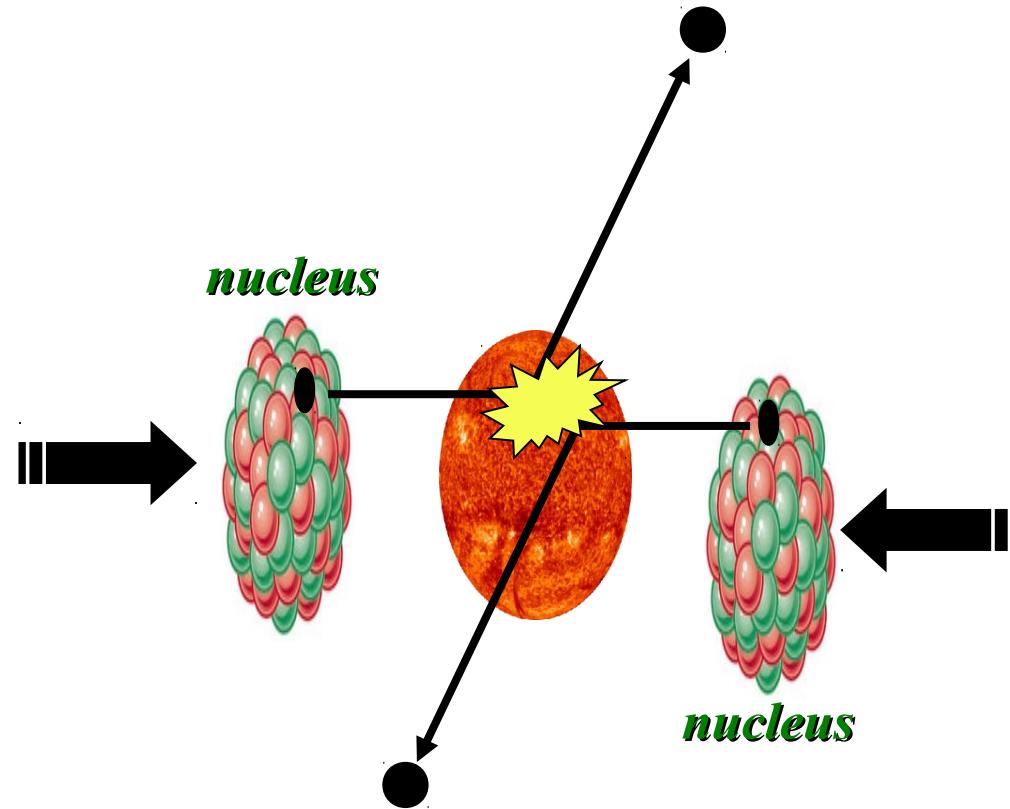
(not the gas of “free” quarks and gluons we expected)

Probing the Quark Gluon Plasma



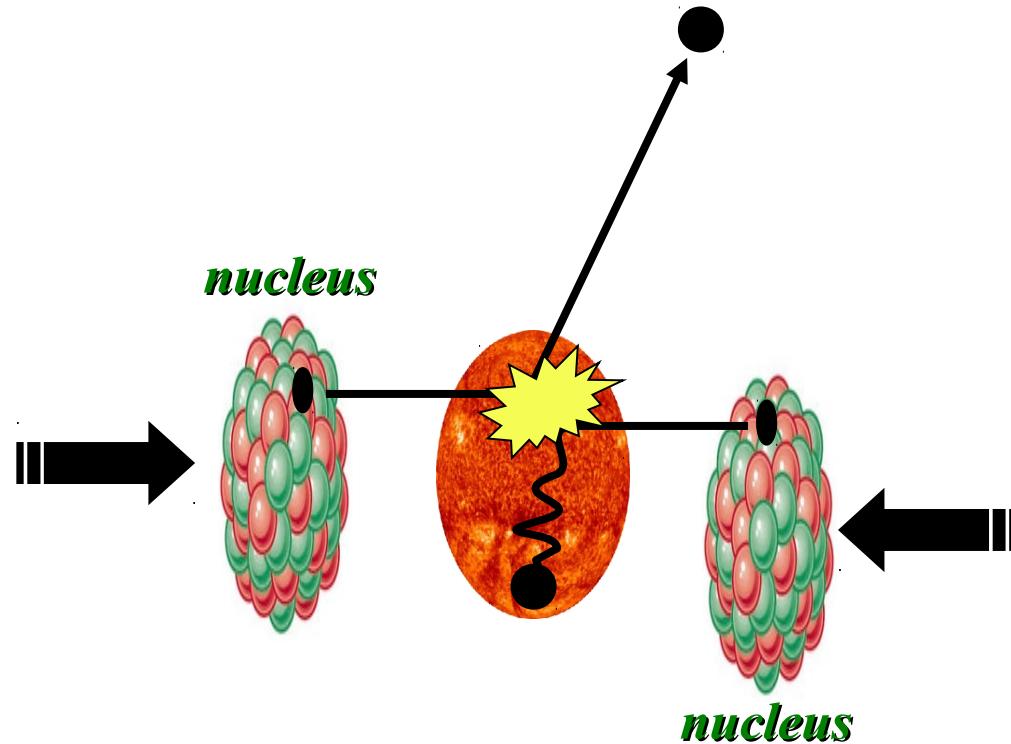
Want a probe which traveled through the collision
QGP is very short-lived ($\sim 1\text{-}10 \text{ fm/c}$) →
cannot use an external probe

Probes of the Quark Gluon Plasma



Want a probe which traveled through the medium
QGP is short lived → need a probe created in the collision

Probes of the Quark Gluon Plasma

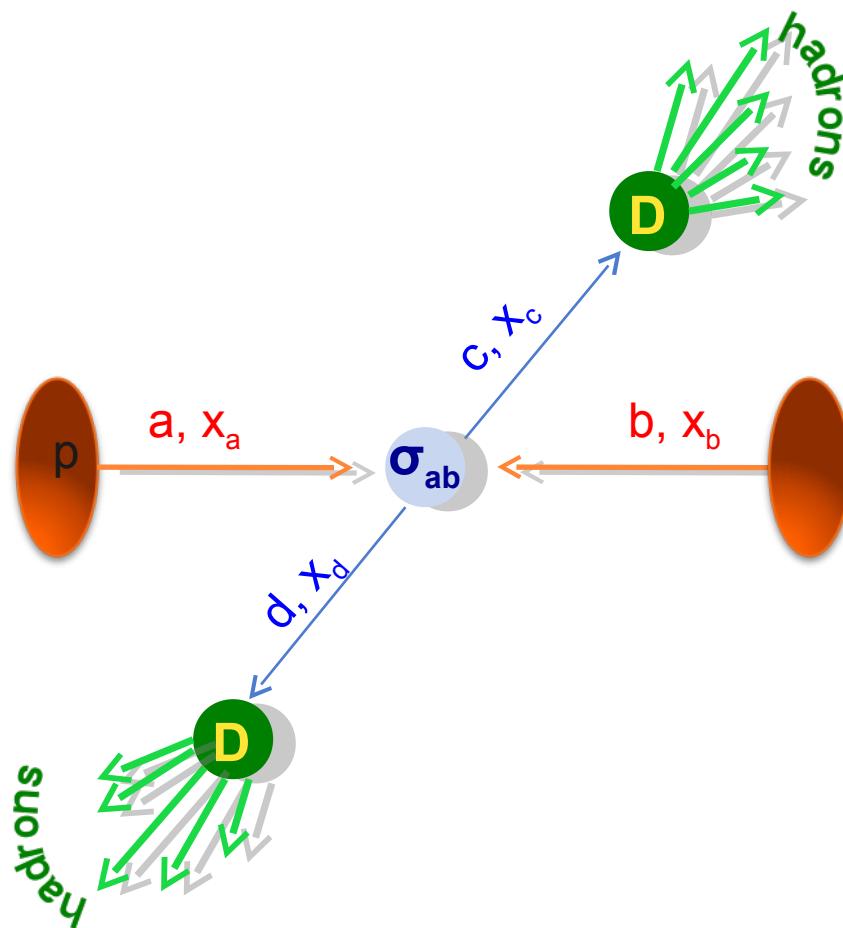


Want a probe which traveled through the medium
QGP is short lived → need a probe created in the collision
We expect the medium to be dense → absorb/modify probe

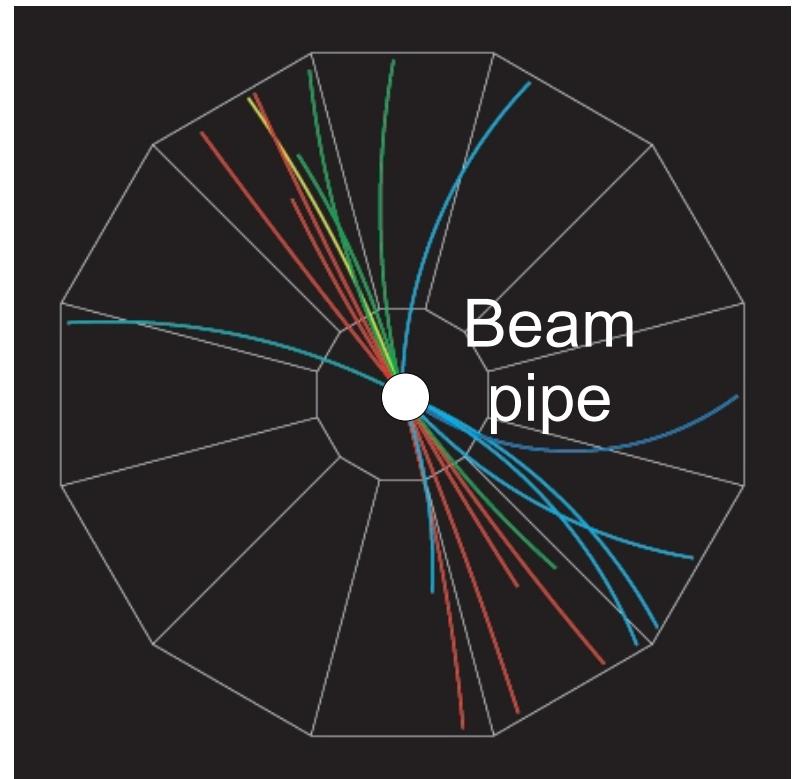
Hard probes

- Hard probes - energies involved (Q^2) are large, high confidence in theory calculations (perturbative quantum chromodynamics)
 - Jets – quarks and gluons from a hard parton scattering, most commonly occurring as di-jets
 - Heavy quarks – charm and beauty quarks
 - Direct photons – photons created in the collision, not expected to interact with the medium → control

Jets



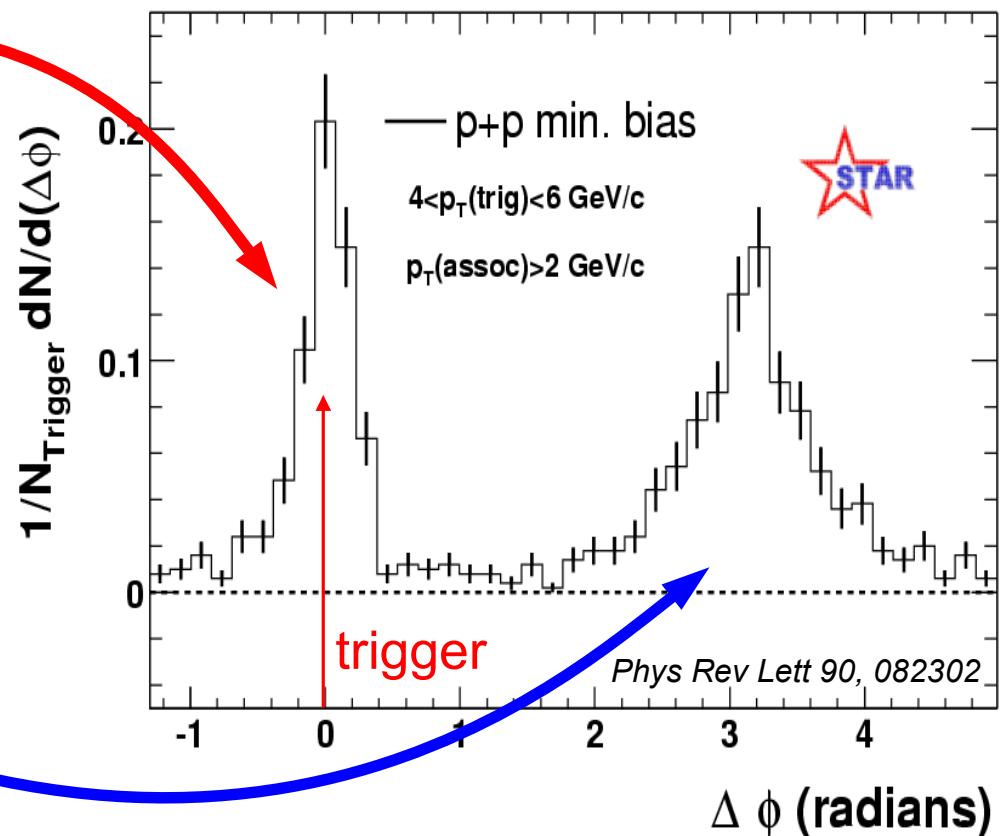
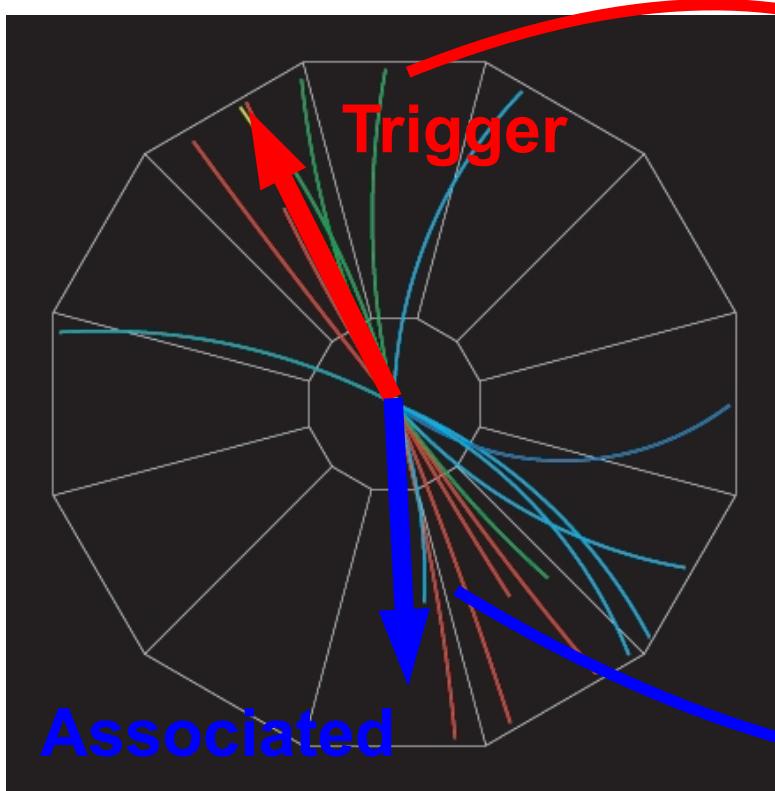
$p+p \rightarrow \text{dijet}$



Jets – hard parton scattering leads to back-to-back quarks or gluons, which then fragment as a columnated spray of particles

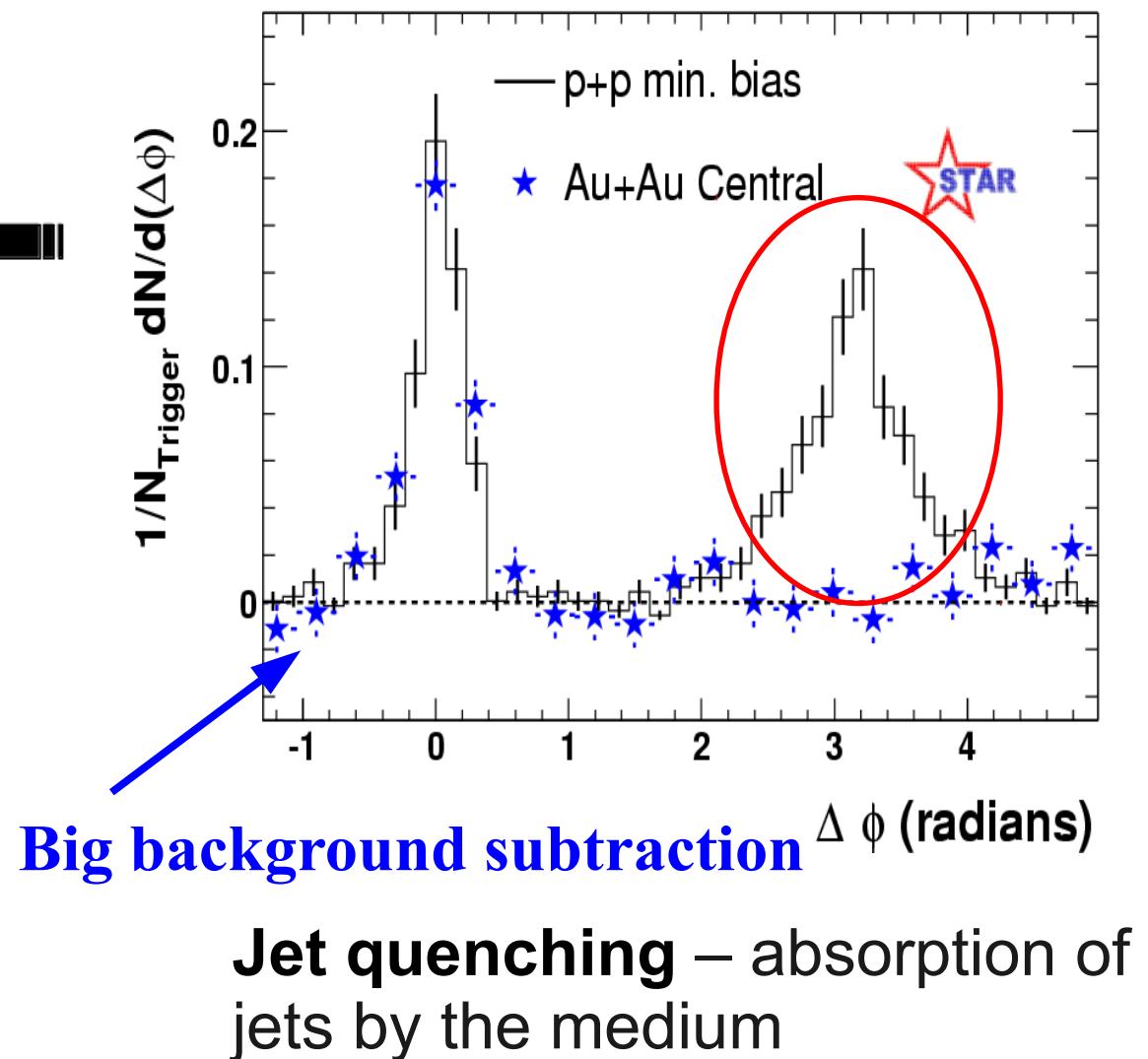
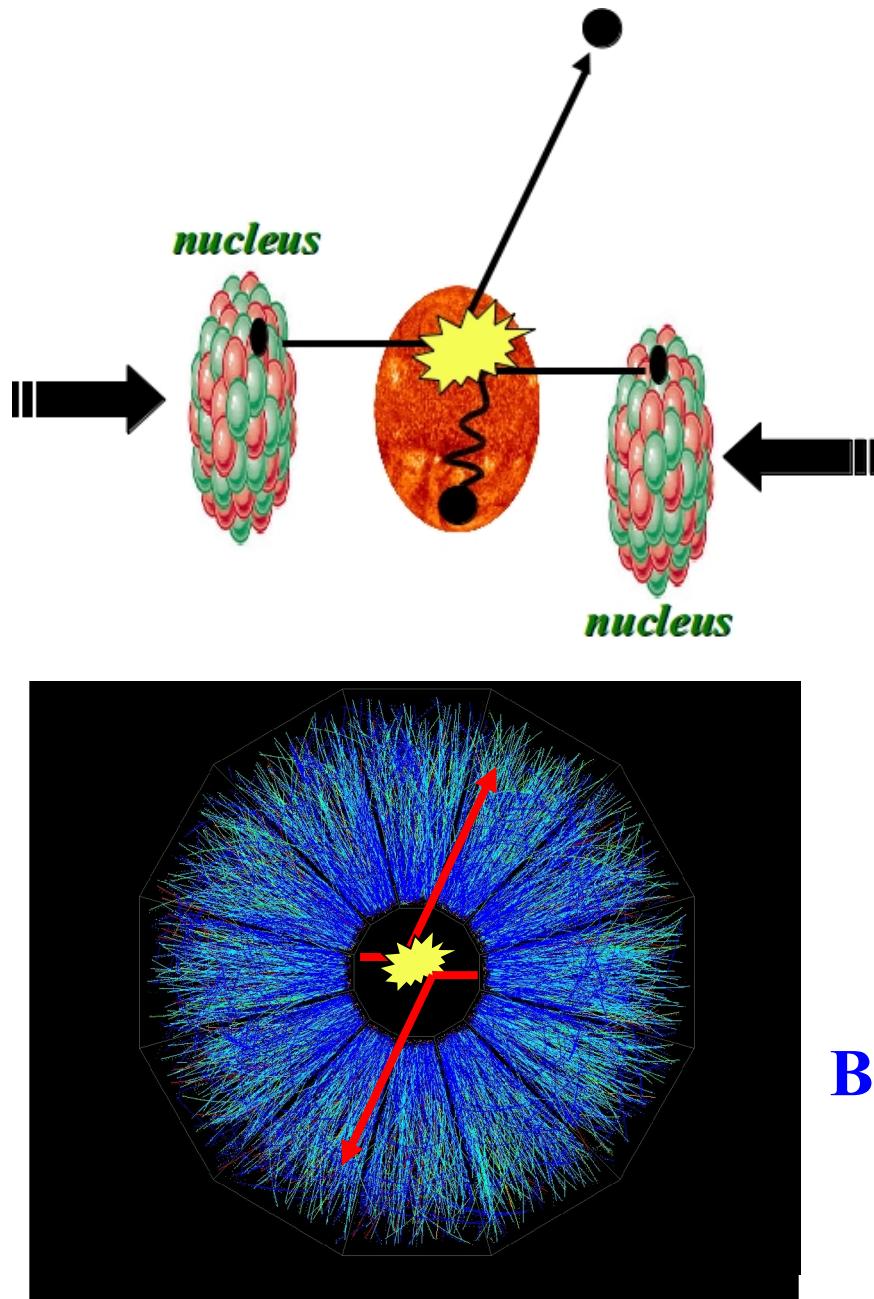
Jets – azimuthal correlations

$p+p \rightarrow \text{dijet}$



Select high momentum particles \rightarrow biased towards jets

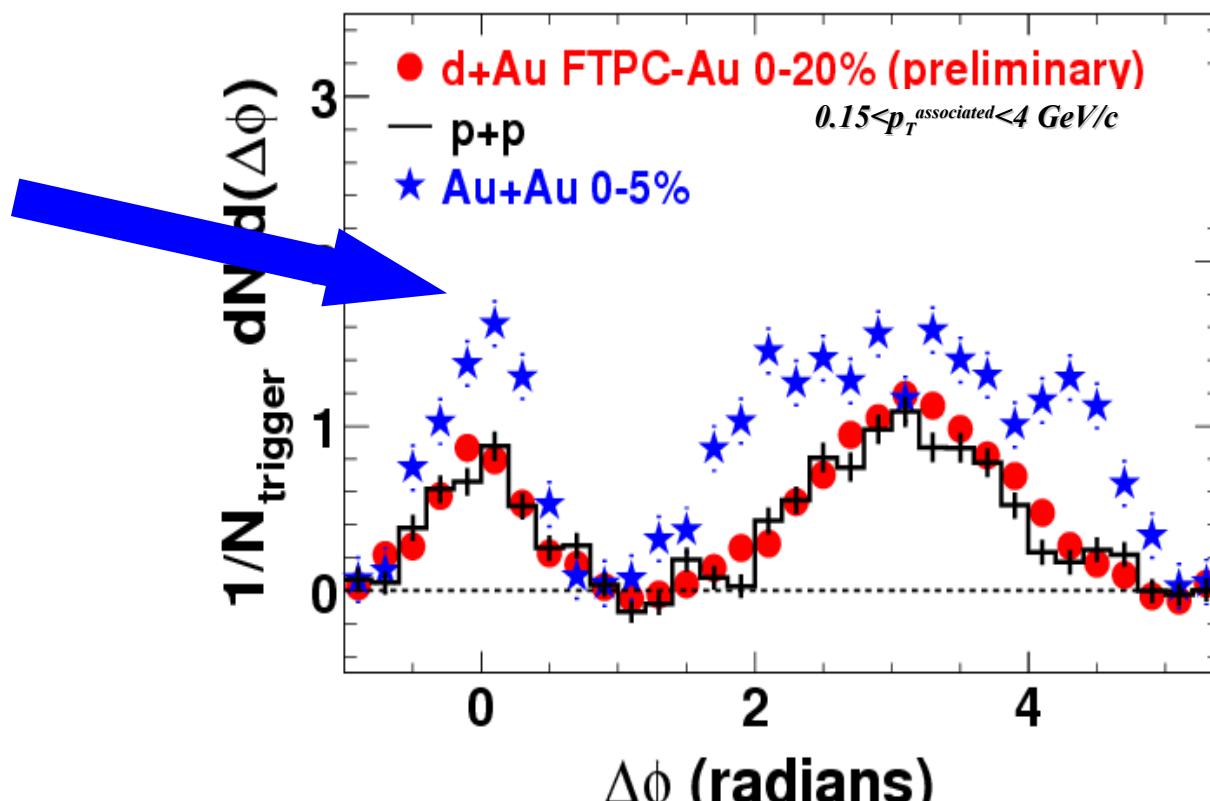
Jets – azimuthal correlations



But at lower momenta...

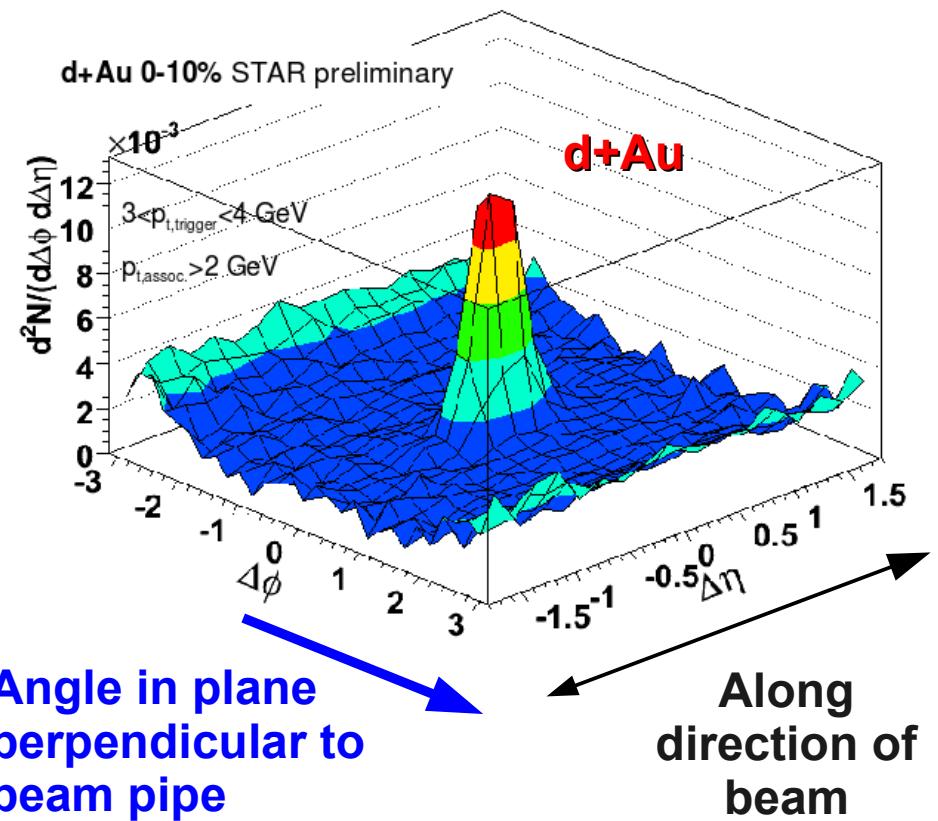
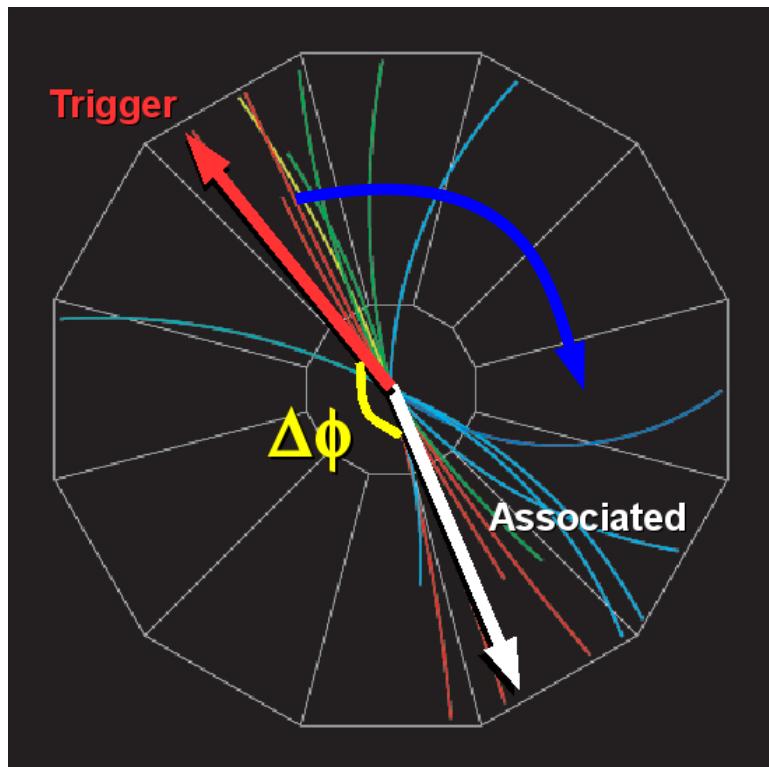
Near-side shows modification

Excess yield in Au+Au relative to p+p

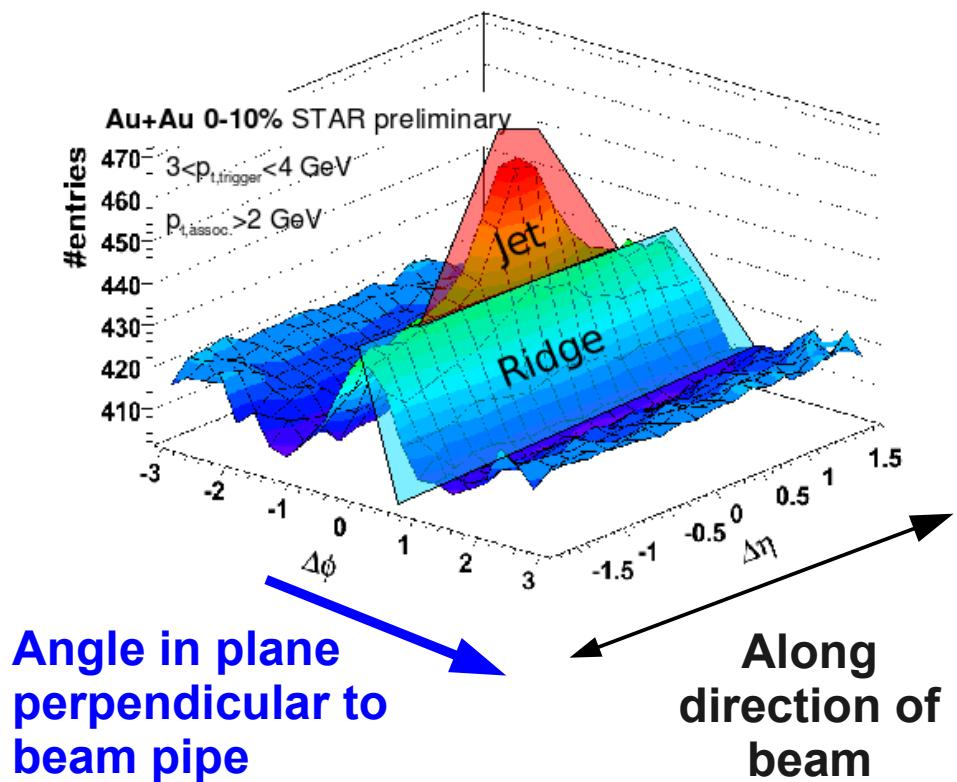
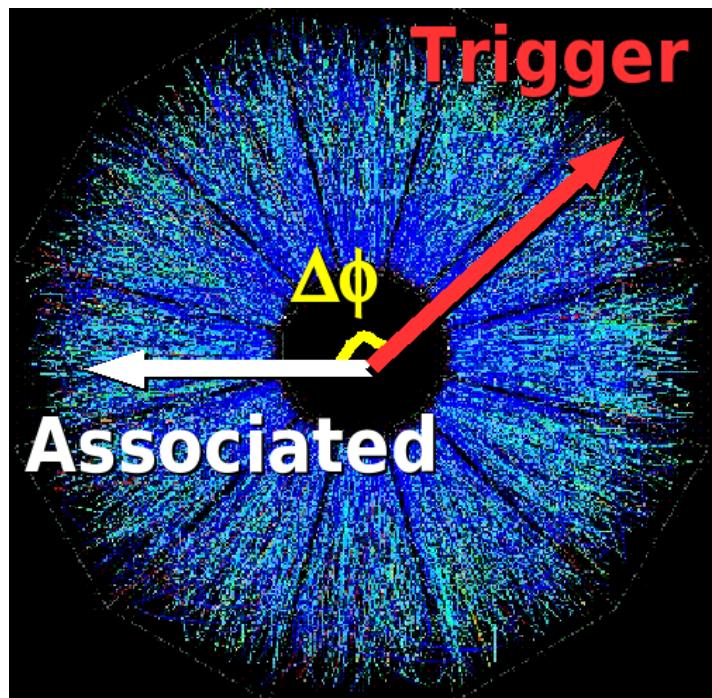


STAR PRL 95 (2005) 152301

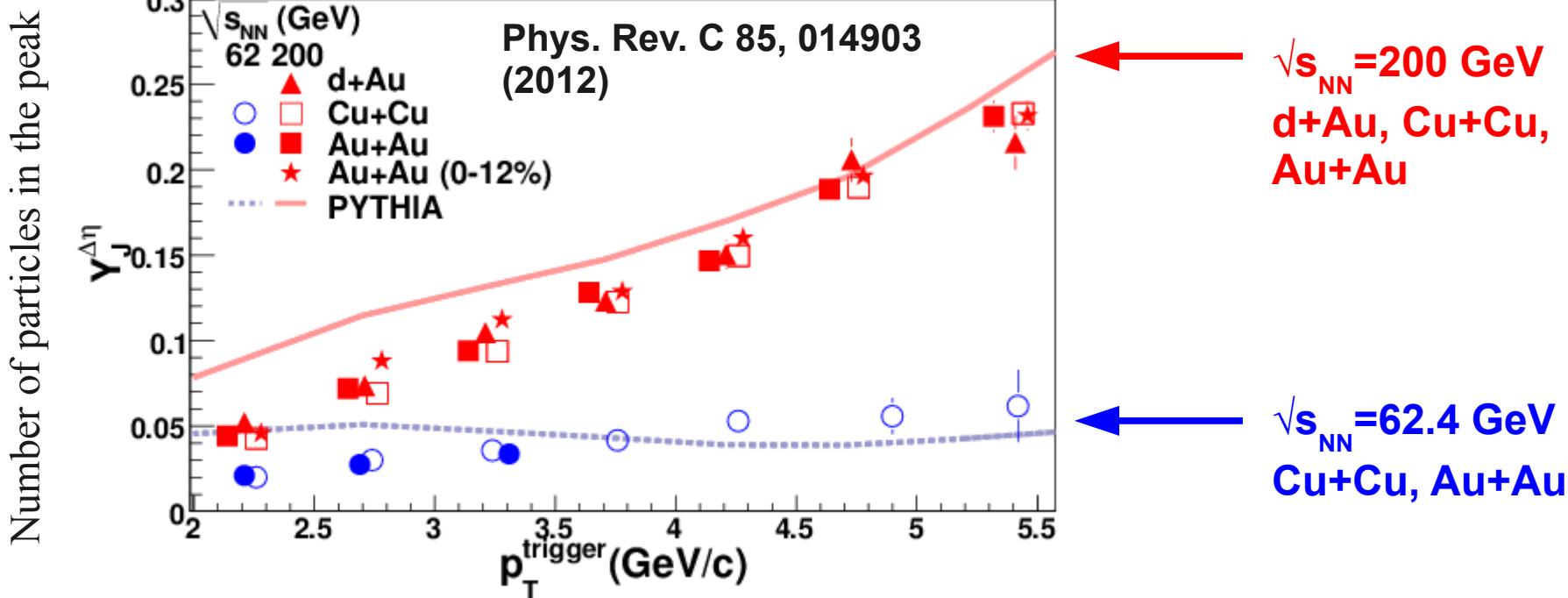
Looking in two dimensions



In two dimensions in Au+Au



The jet-like correlation



- Appears to be dominantly produced by vacuum fragmentation
 - No difference between collision systems
 - Consistent with QCD-inspired Monte Carlo (PYTHIA)

Ridgeology (2006-2011)

- Hundreds of papers on the ridge, over 10 distinct production mechanisms proposed
 - Gluon brehmsstrahlung
 - QCD color fields
- Measured just about everything possible
 - Size, particle composition, collision species dependence, collision energy dependence, size relative to the reaction plane, momentum dependence

**Measurements
I worked on**

Background subtraction

- Two component model:
Di-hadron correlations are composed of

- Correlations arising from jet fragmentation
- Correlations arising from elliptic flow (v_2)

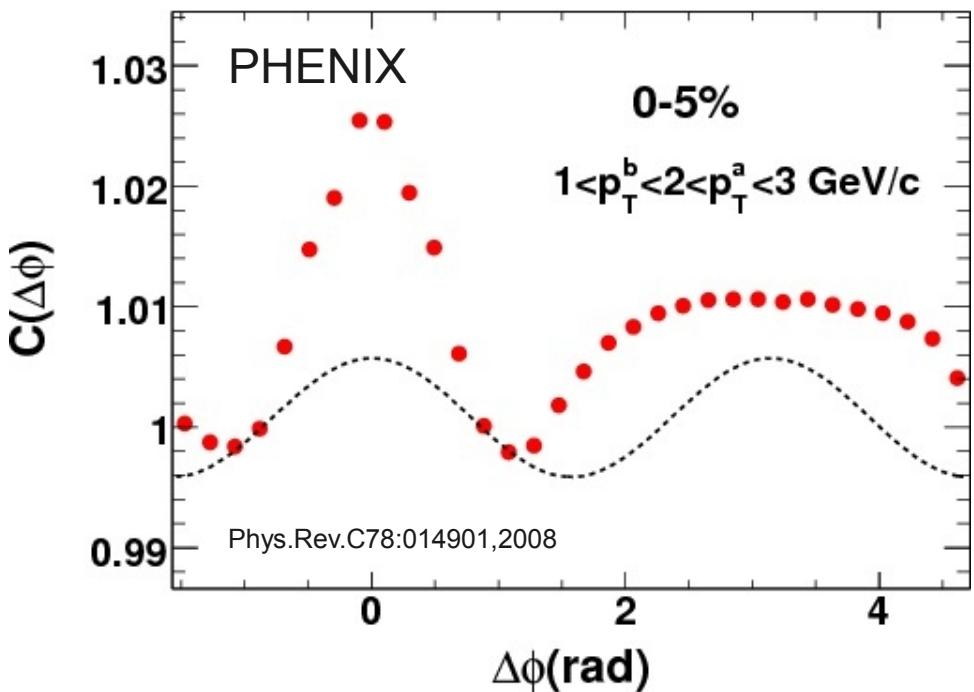
Assume jets are not correlated with background

The background is then

$$B(1+2 v_2^{\text{trig}} v_2^{\text{assoc}} \cos(2\Delta\Phi))$$

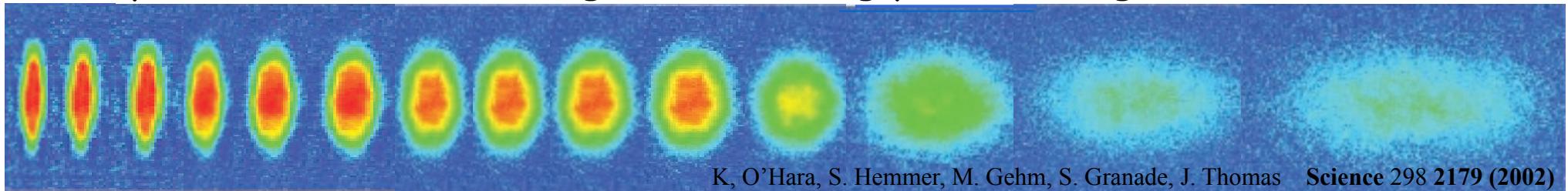
Phys. Rev. C69 (2004) 021901

- Zero-Yield-At-Minimum (ZYAM)
 - Assumes there is a region where there is no signal
 - Fix B in this region assuming two component model
 - Use v_2 from independent measurements



What does it mean?

Same phenomena observed in gases of strongly interacting atoms

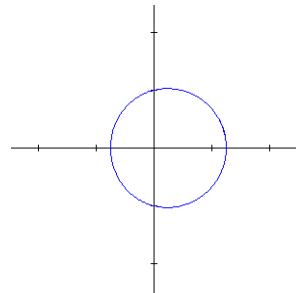


Time →

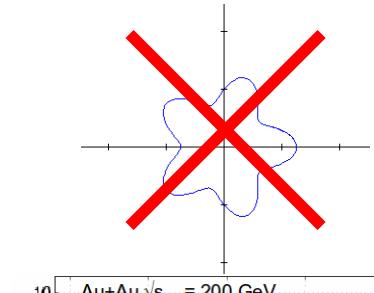
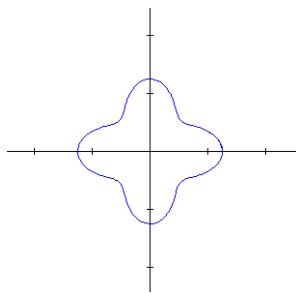
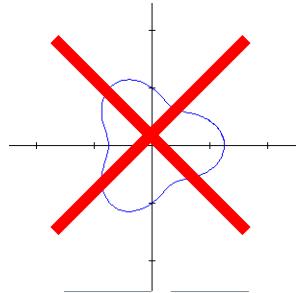
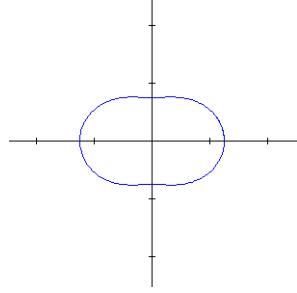
Initial state anisotropies converted to final state anisotropies

Fourier decomposition:

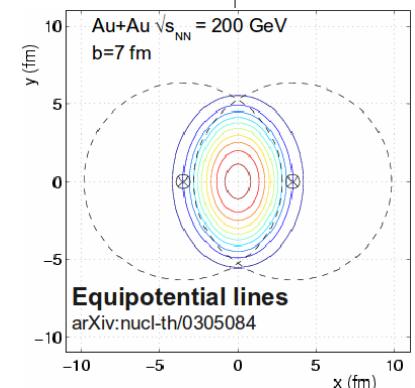
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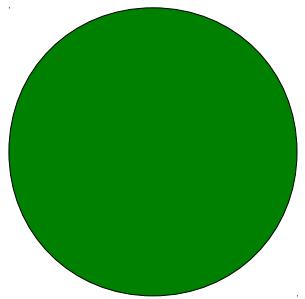


Offset measured

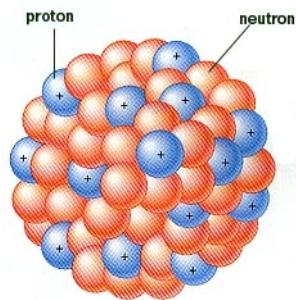


**Nuclei are symmetric →
No odd coefficients**

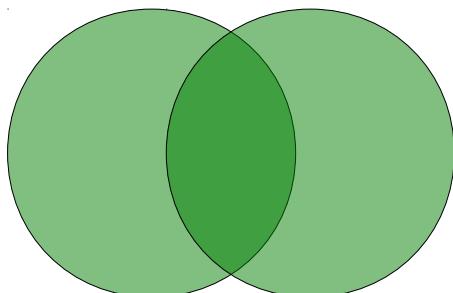




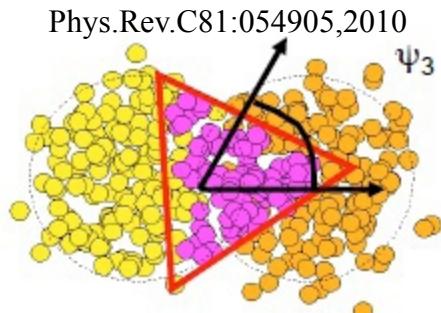
This is not what a nucleus looks like



This is what a nucleus looks like



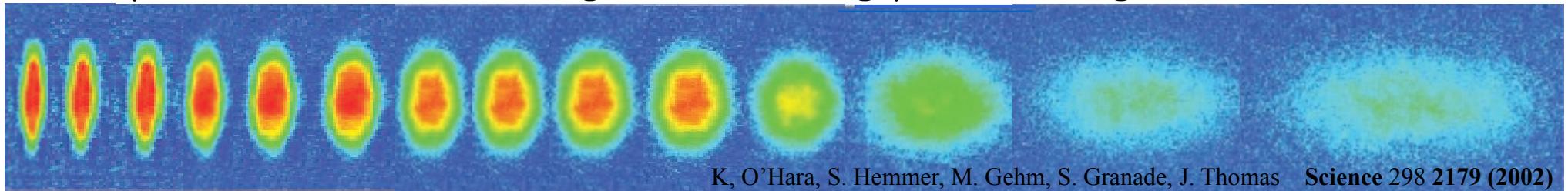
This is not what our collision looks like



This is what our collision looks like

What does it mean?

Same phenomena observed in gases of strongly interacting atoms

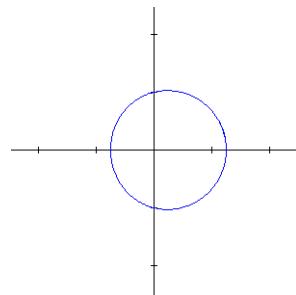


Time →

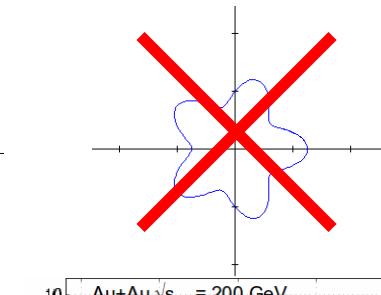
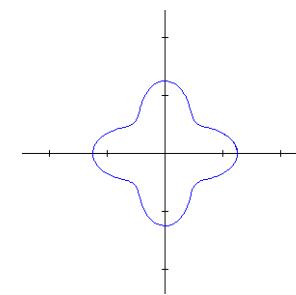
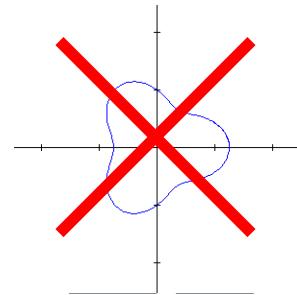
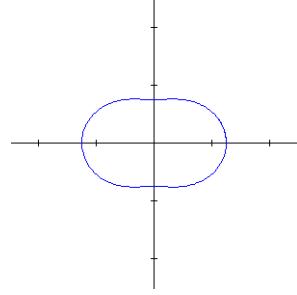
Initial state anisotropies converted to final state anisotropies

Fourier decomposition:

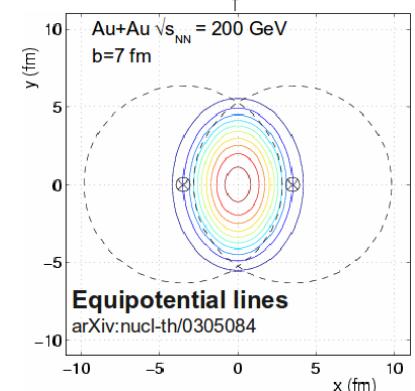
$$\frac{d^2 N}{dp_T d\phi} \approx 1 + 2v_1 \cos(d\phi) + 2v_2 \cos(2d\phi) + 2v_3 \cos(3d\phi) + 2v_4 \cos(4d\phi) + 2v_5 \cos(5d\phi) + \dots$$



Offset
measured



**Nuclei are symmetric →
No odd coefficients**



Background subtraction

- Two component model:
Di-hadron correlations are composed of

- Correlations arising from jet fragmentation
- Correlations arising from elliptic flow (v_2)

Assume jets are not correlated with background

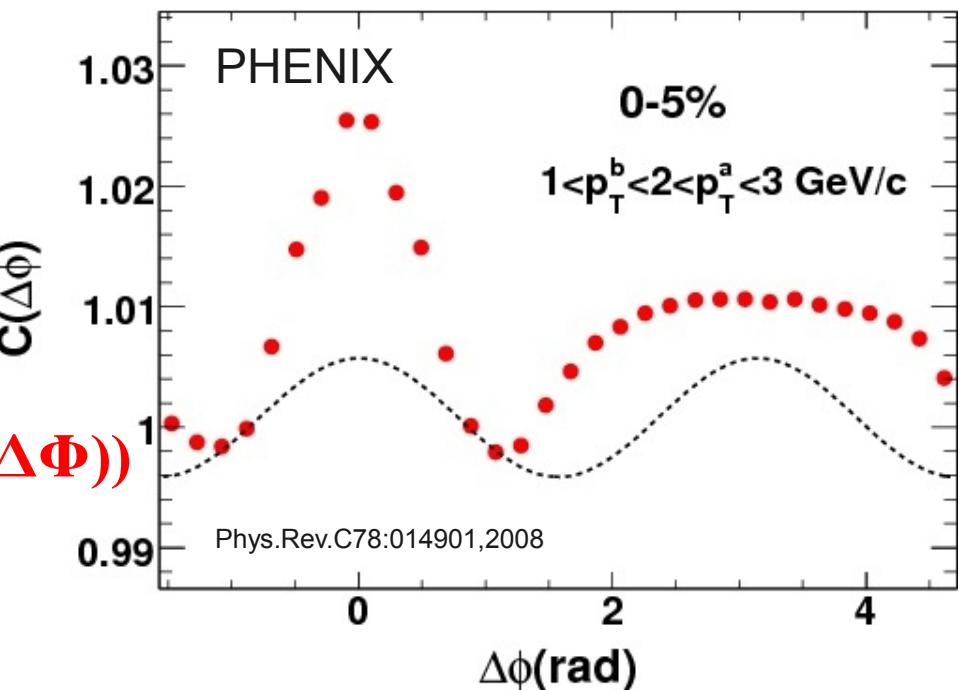
The background is then

$$B(1 + 2 v_2^{\text{trig}} v_2^{\text{assoc}} \cos(2\Delta\Phi))$$

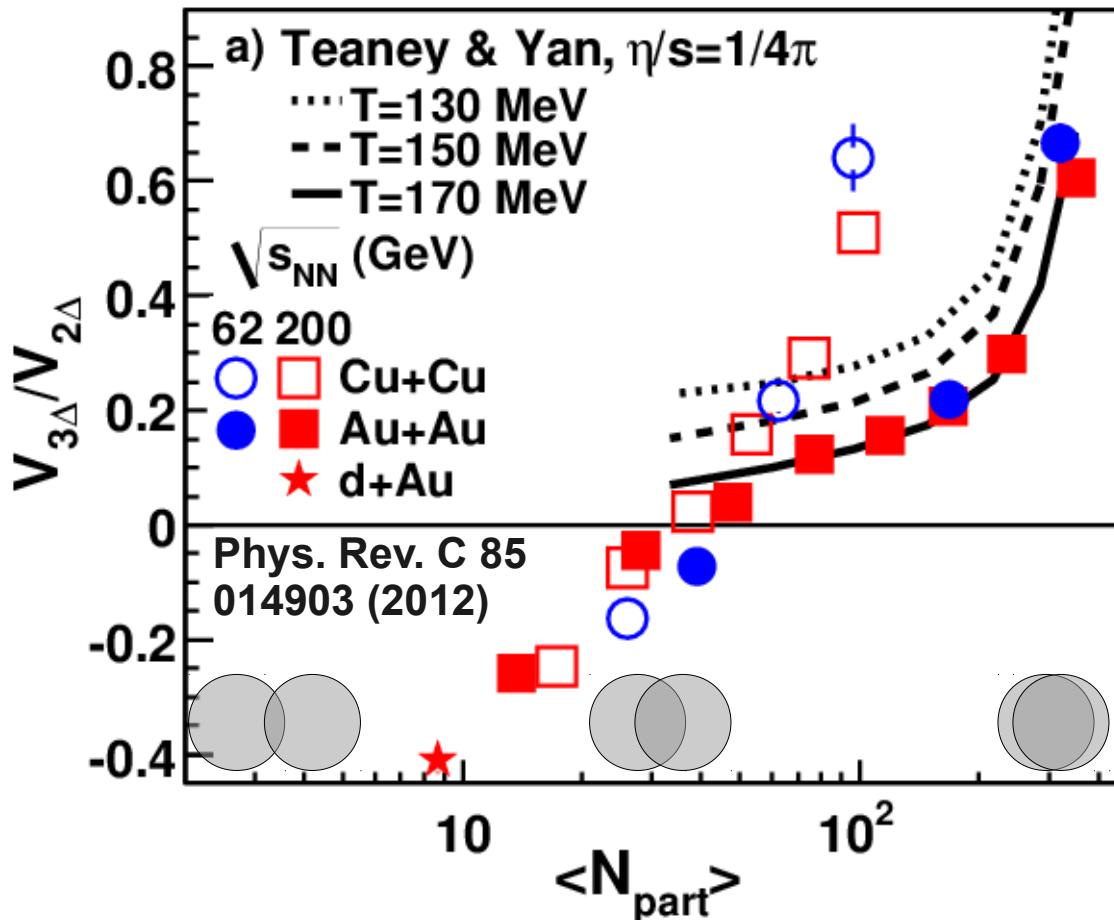
Phys. Rev. C69 (2004) 021901

$$+ 2 v_3^{\text{trig}} v_3^{\text{assoc}} \cos(3\Delta\Phi))$$

- Zero-Yield-At-Minimum (ZYAM)
 - Assumes there is a region where there is no signal
 - Fix B in this region assuming two component model
 - Use v_2 from independent measurements



What the ridge is...



...is strong evidence that the Quark Gluon Plasma is a liquid!

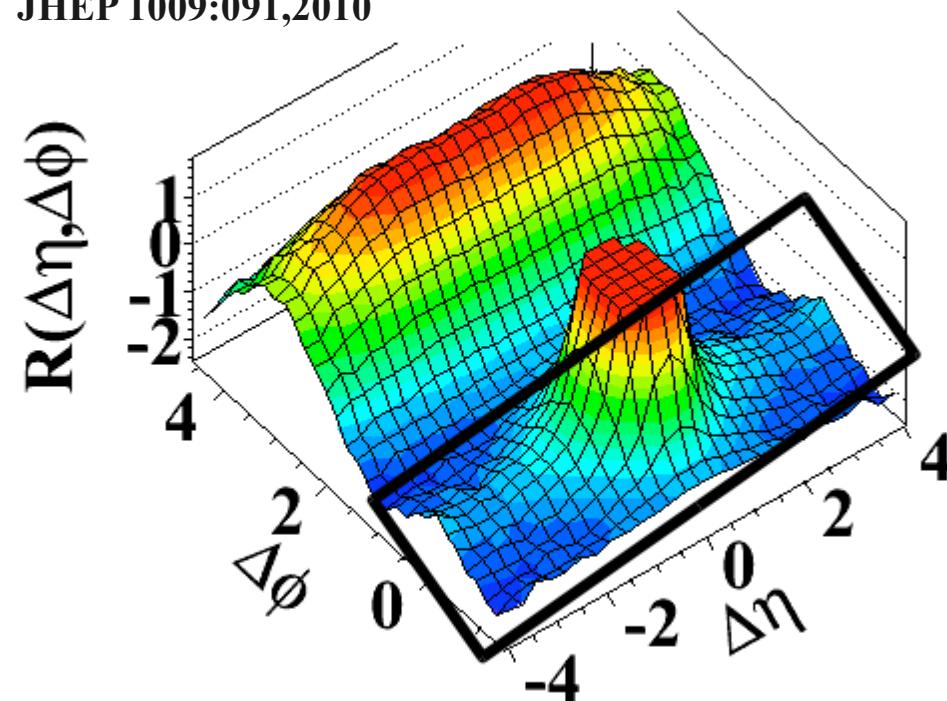
This is not what we were looking for.

What have we learned from this?

- The Quark Gluon Plasma is a liquid of quarks & gluons, the hottest matter produced in a laboratory, and the lowest viscosity fluid every observed.
- Sometimes you don't find what you're looking for, but you find something else interesting.

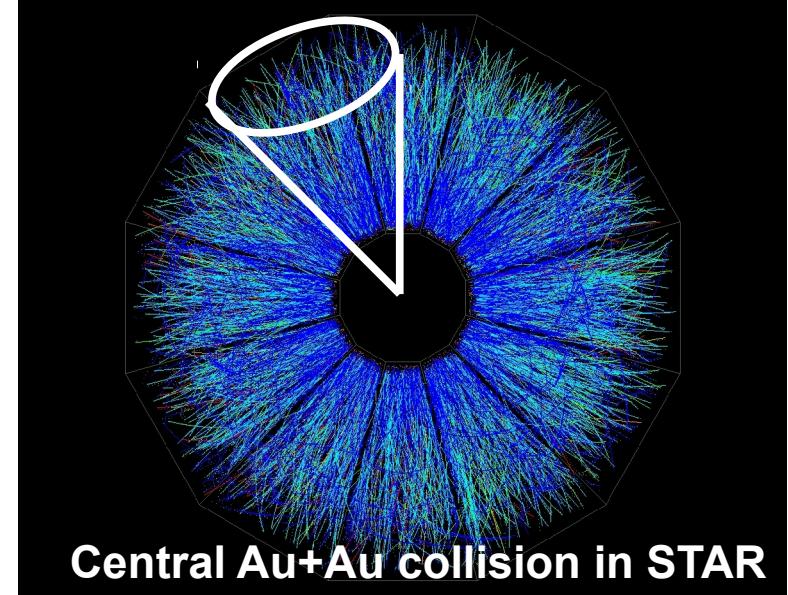
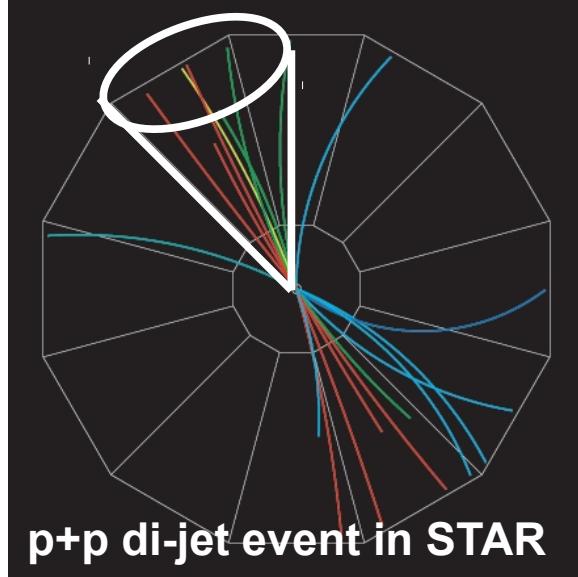
So what's this?

(d) $N > 110$, $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$
JHEP 1009:091, 2010



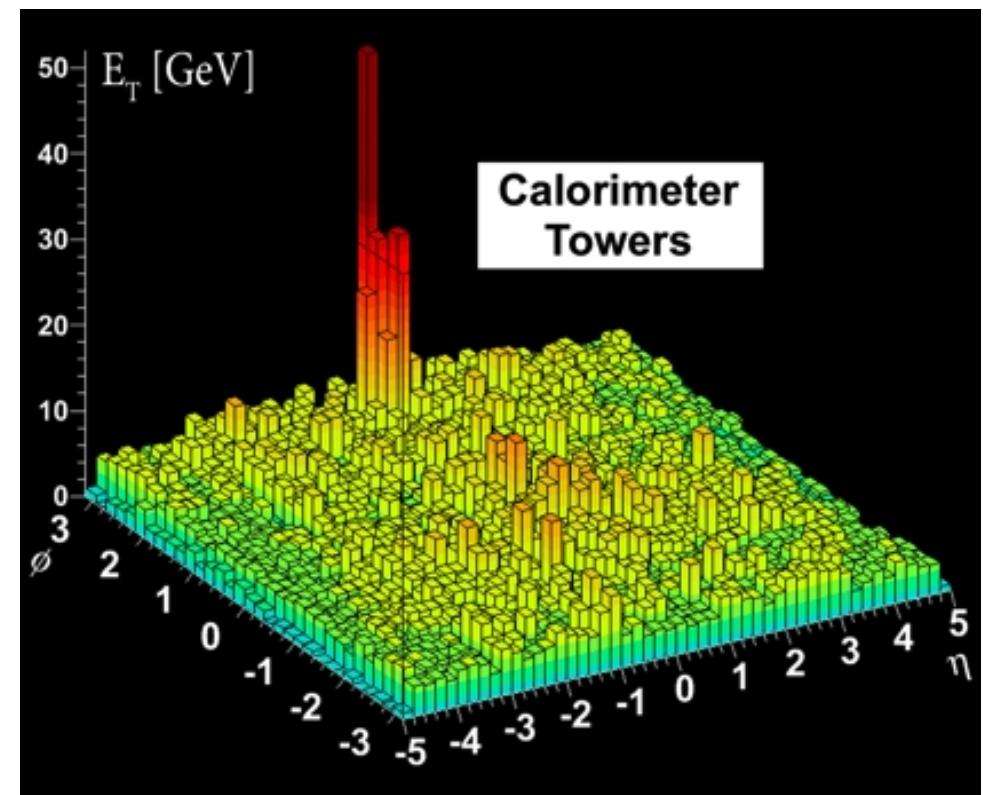
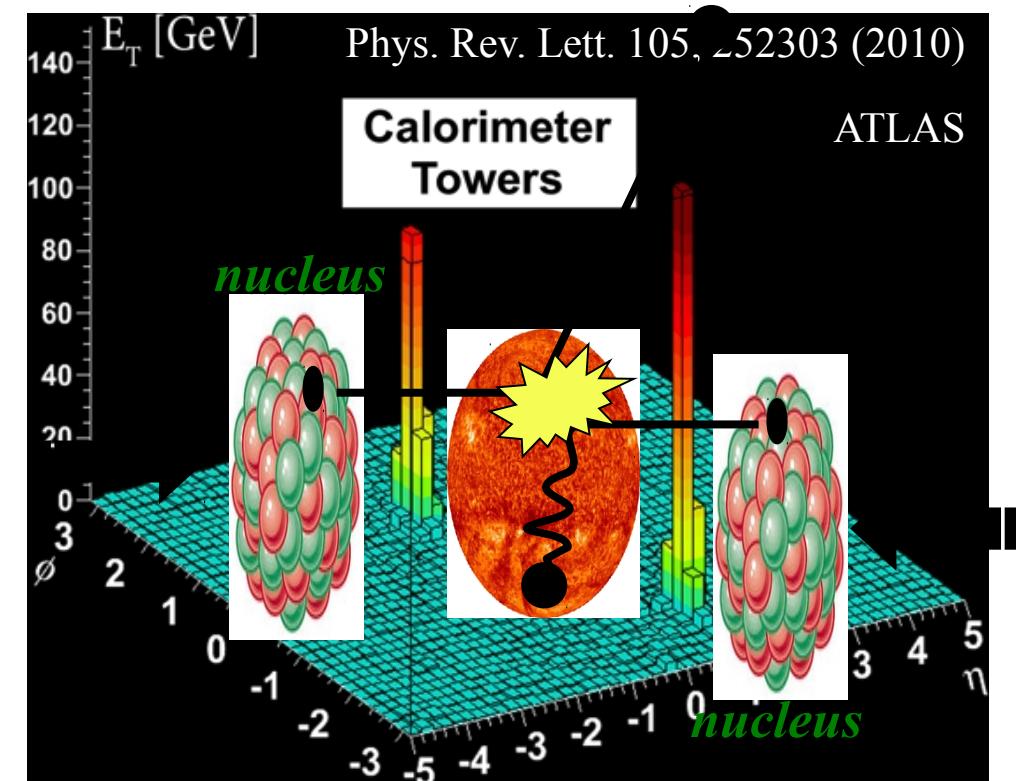
Seen by CMS in 7 TeV proton-proton collisions

Jet reconstruction



- Identify all of the particles in the jet → parton energy, momentum
- Difficult in heavy ion collisions – but possible!

Jets at the LHC





Just the beginning!
~~THE END~~



Backup slides

Key experimental results

Jet-like correlation is dominantly produced by fragmentation → *Ridge* production must not affect formation of jet-like correlation

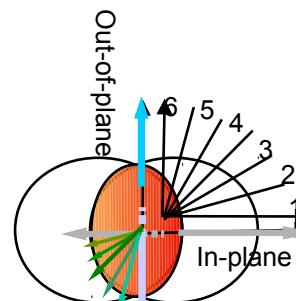
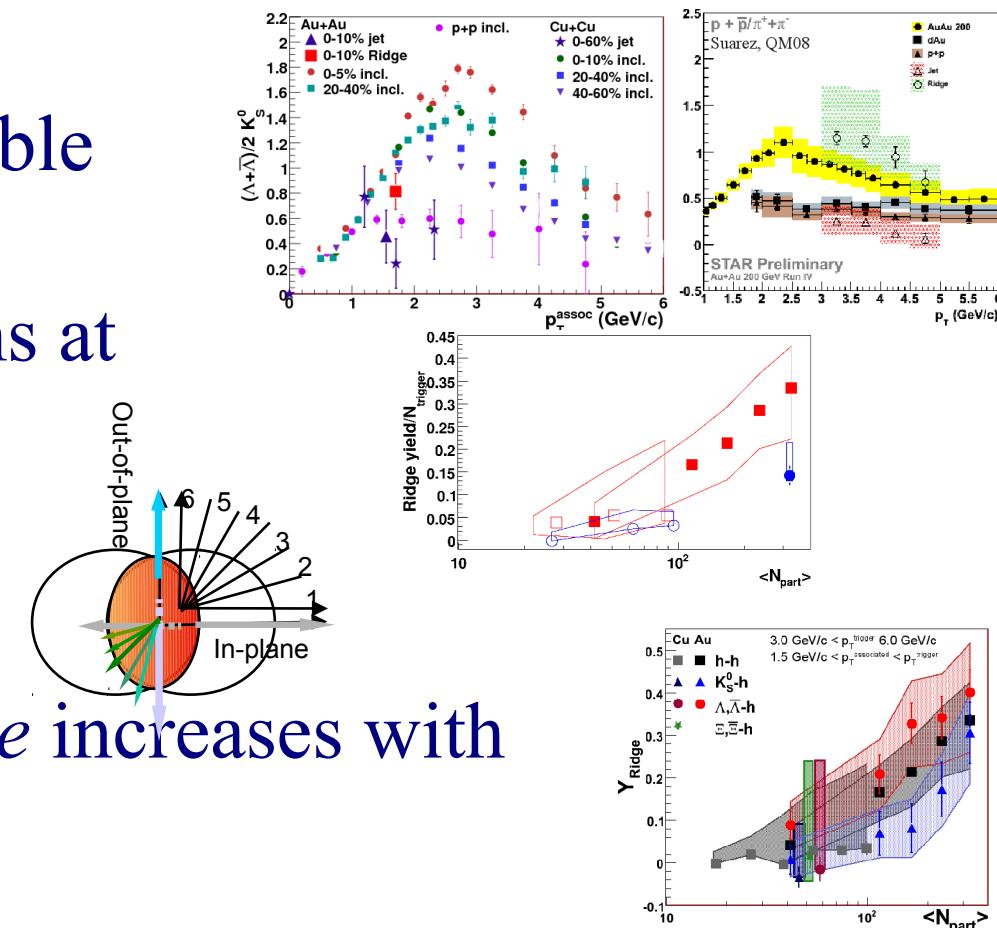
Particle ratios in *Ridge* comparable to bulk

The *Ridge* is smaller in collisions at $\sqrt{s_{NN}} = 62 \text{ GeV}$ than 200 GeV

Ridge is larger in plane than out of plane

If there is a mass ordering, *Ridge* increases with increasing trigger mass

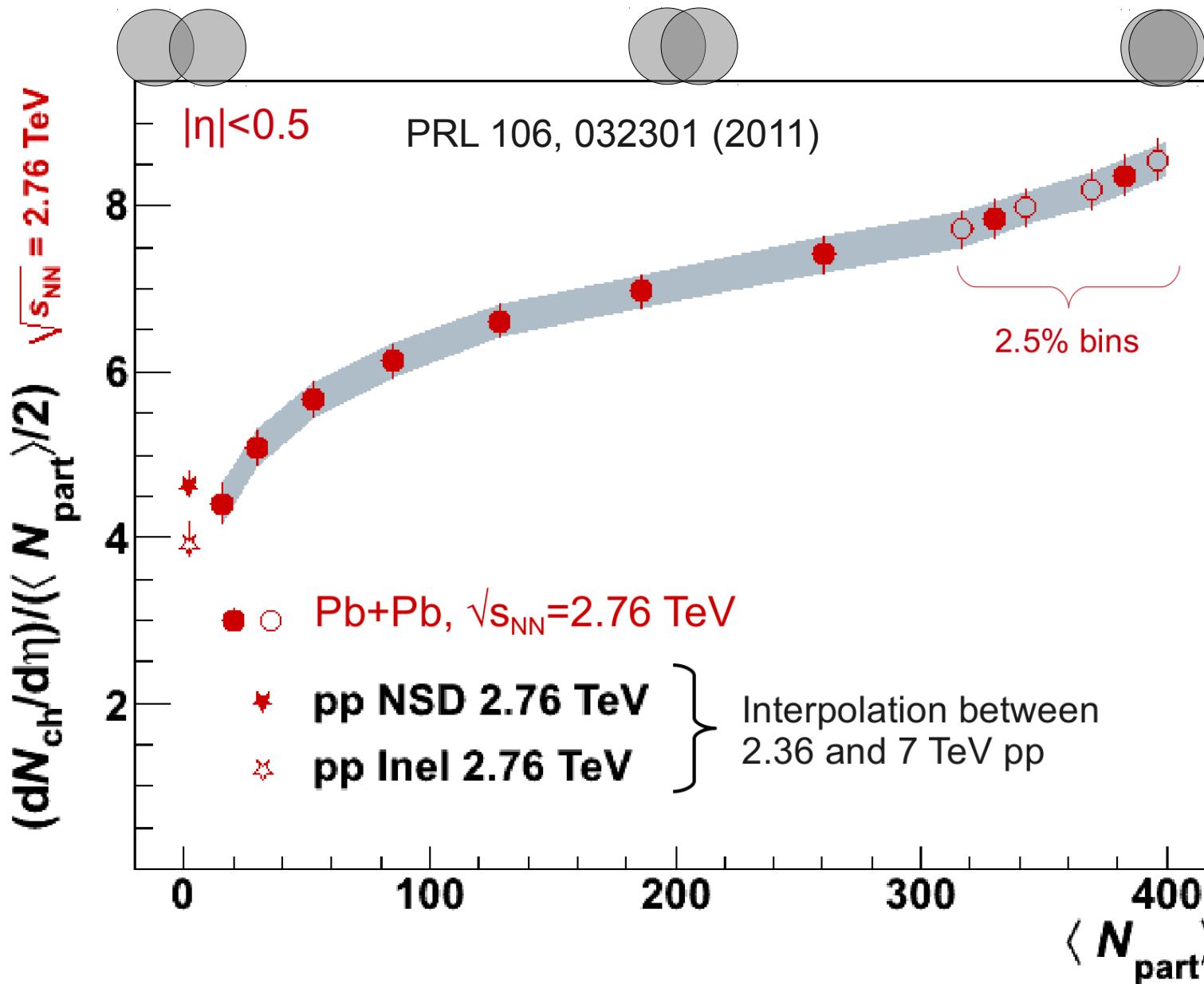
The Ridge is broad in $\Delta\eta$





Bulk properties

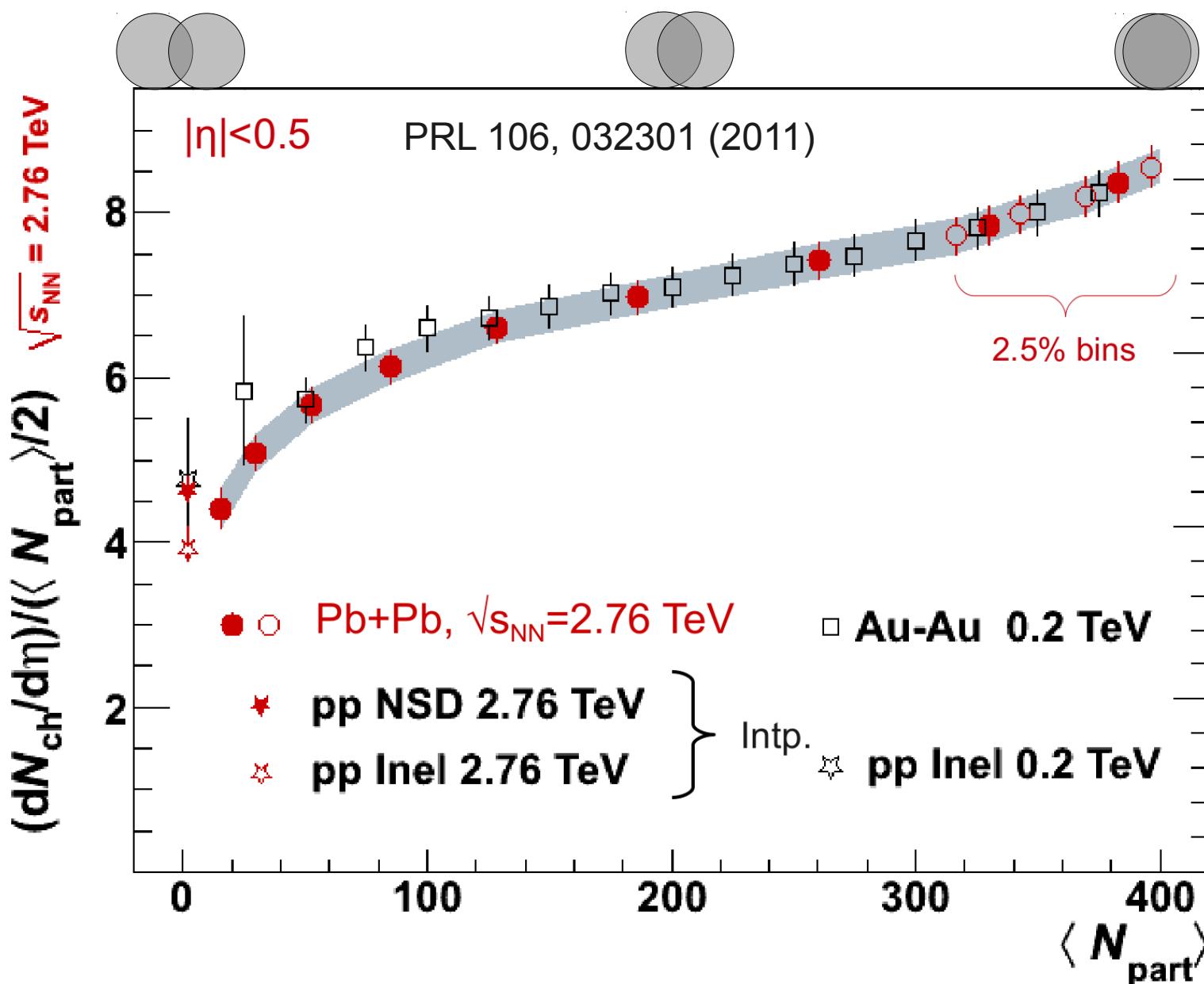
Centrality dependence of $dN_{ch}/d\eta$



RHIC data scaled by 2.1

PHENIX
PRC 71, 034908 (2005)

Centrality dependence of $dN_{ch}/d\eta$

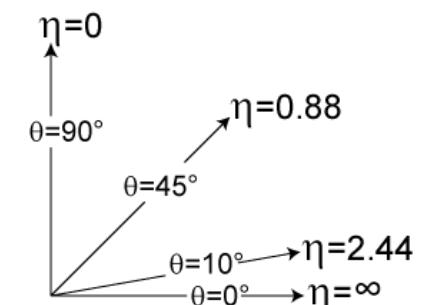


RHIC data scaled by 2.1

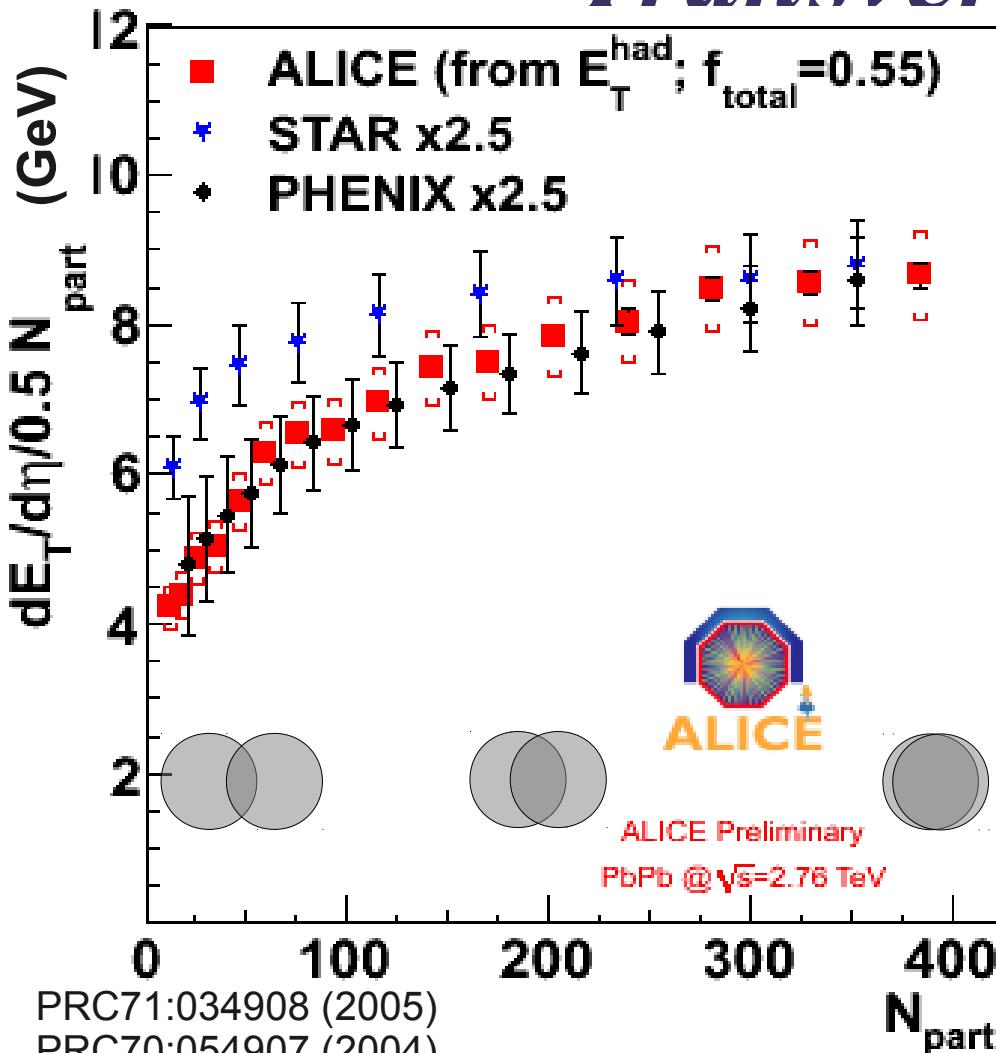
PHENIX
PRC 71, 034908 (2005)

$dN_{ch}/d\eta = \text{Number of charged tracks per unit pseudorapidity}$

$\eta = \text{pseudorapidity} = -\ln[\tan(\theta/2)]$



Transverse Energy



Centrality dependence similar to RHIC (PHENIX)

- E_T^{had} from charged hadrons directly measured by the tracking detectors
- f_{total} from MC to convert into total E_T
- From RHIC to LHC
 - ~2.5 increase $dE_T/d\eta / (0.5 * N_{\text{part}})$
- Energy density (Bjorken)

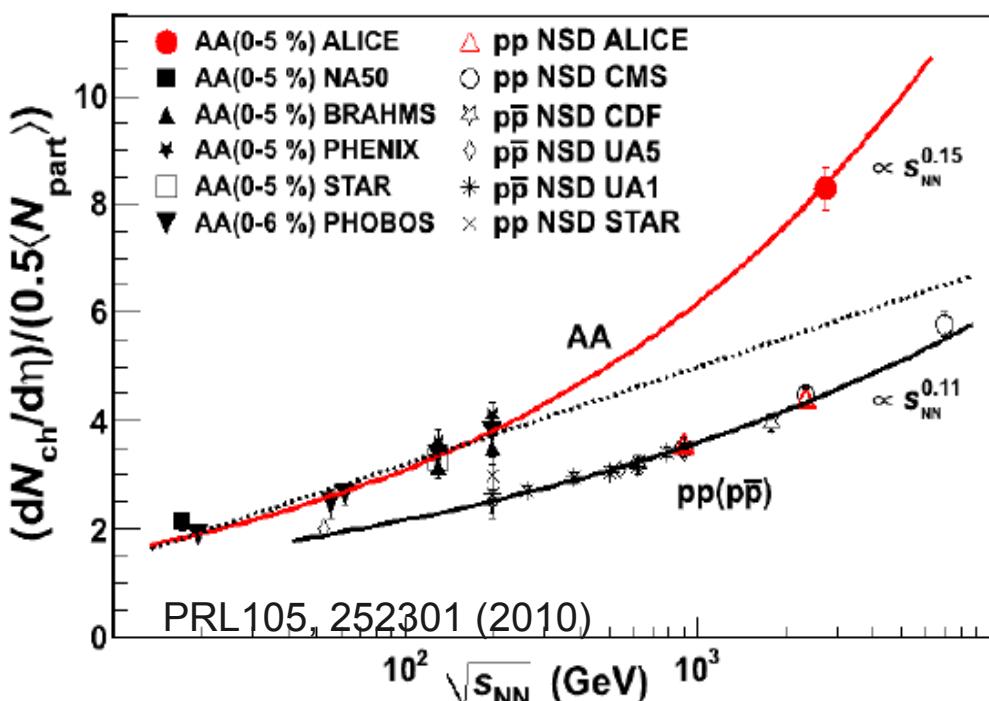
$$\varepsilon = \frac{1}{\pi R^2 \tau} \frac{dE_t}{dy} \quad R = 1.12 A^{1/3} \text{ fm}$$

- $\varepsilon \tau \sim 16 \text{ GeV}/(\text{fm}^2 c)$
- RHIC: $\varepsilon \tau = 5.4 \pm 0.6 \text{ GeV}/(\text{fm}^2 c)$

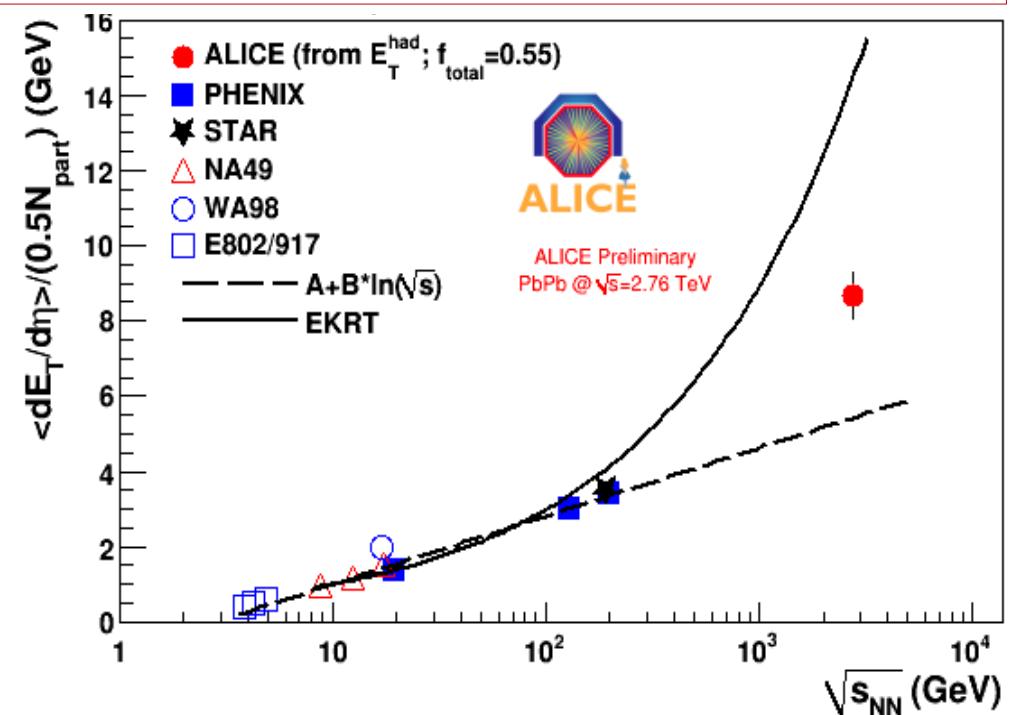
\sqrt{s}_{NN} dependence

- $dN_{ch}/d\eta/(0.5*N_{part}) \sim 8$
- **2.1 x RHIC**
1.9 x pp (NSD) at 2.36 TeV
- growth with \sqrt{s} faster in AA than pp
- $dE_T/d\eta/(0.5*N_{part}) \sim 9$ in 0-5%
- ~5% increase of N_{part} ($353 \rightarrow 383$)
→ 2.7 x RHIC
(consistent with 20% increase of $\langle p_T \rangle$)

Grows faster than simple logarithmic scaling extrapolated from lower energy



\sqrt{s}_{NN} = Center of mass energy per nucleon





Probes of the Quark Gluon Plasma

Single particles

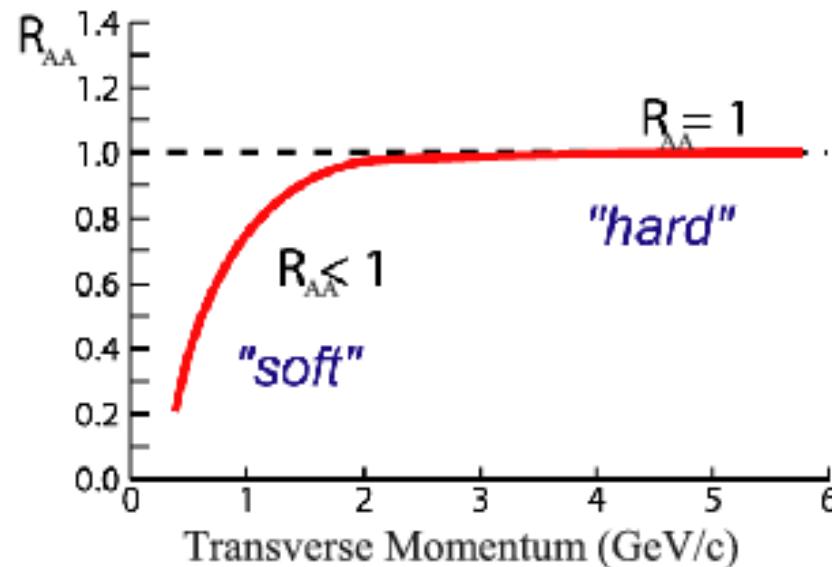
Measure spectra of hadrons and compare to those in p+p collisions or peripheral A+A collisions

If high-p_T hadrons are suppressed, this is evidence of jet quenching

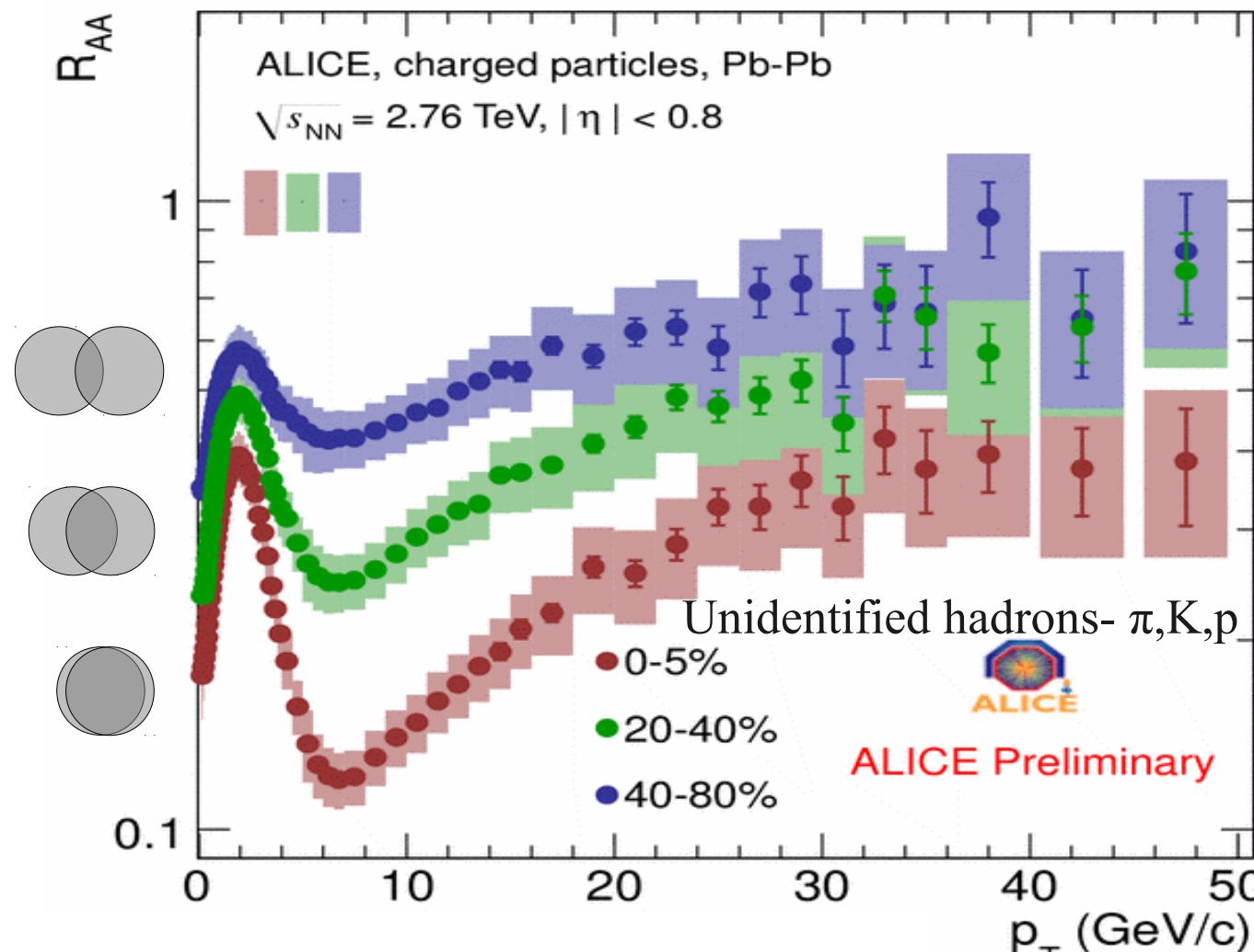
Assumption: sufficiently high-p_T hadrons mostly come from jets

Unmodified spectra:

$$R_{AA} = \frac{1/N_{evt}^{AA} d^2 N_{ch}^{AA} / d\eta dp_T}{\langle N_{coll} \rangle (1/N_{evt}^{pp}) d^2 N_{ch}^{pp} / d\eta dp_T}$$

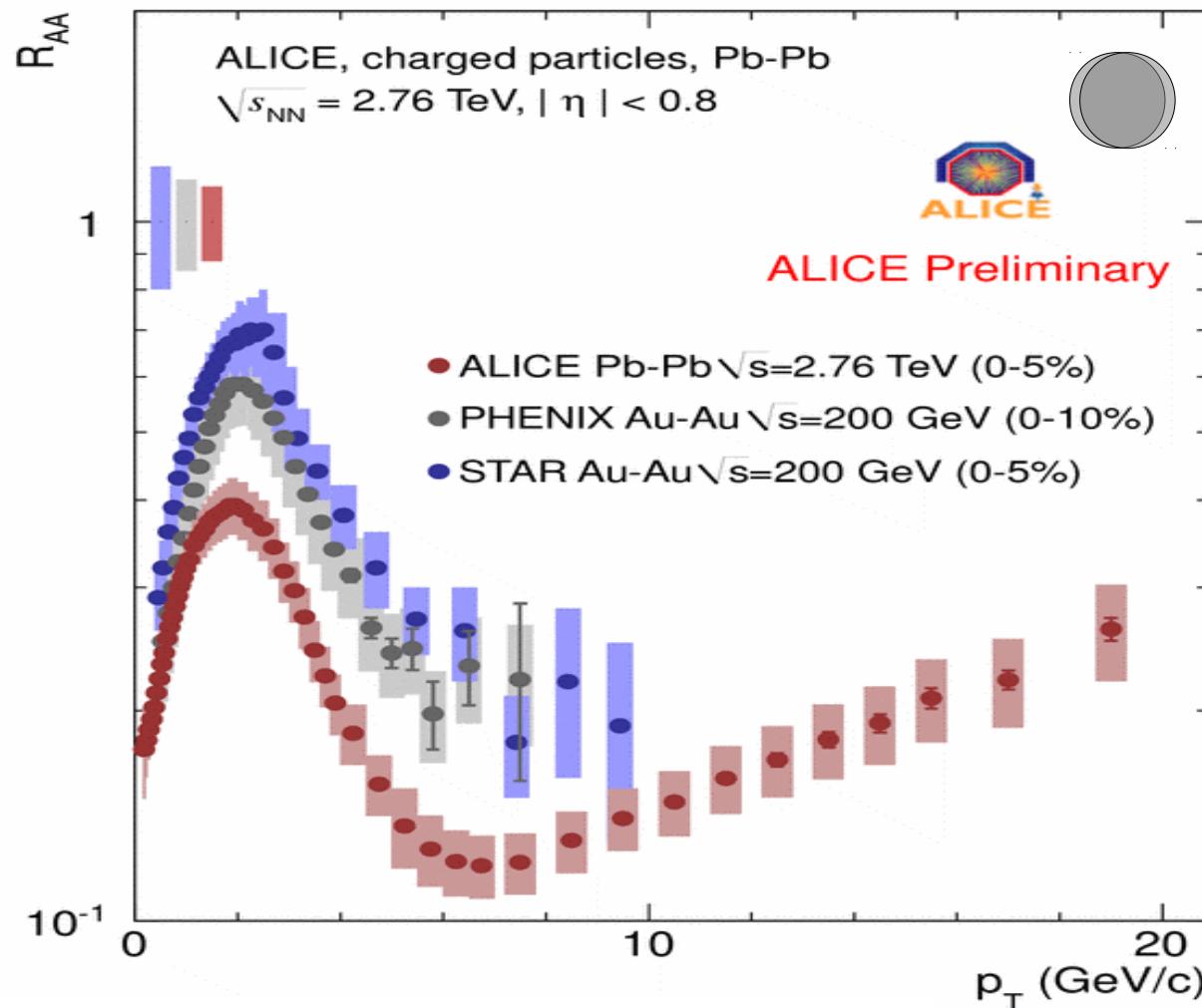


Nuclear modification factor (R_{AA})



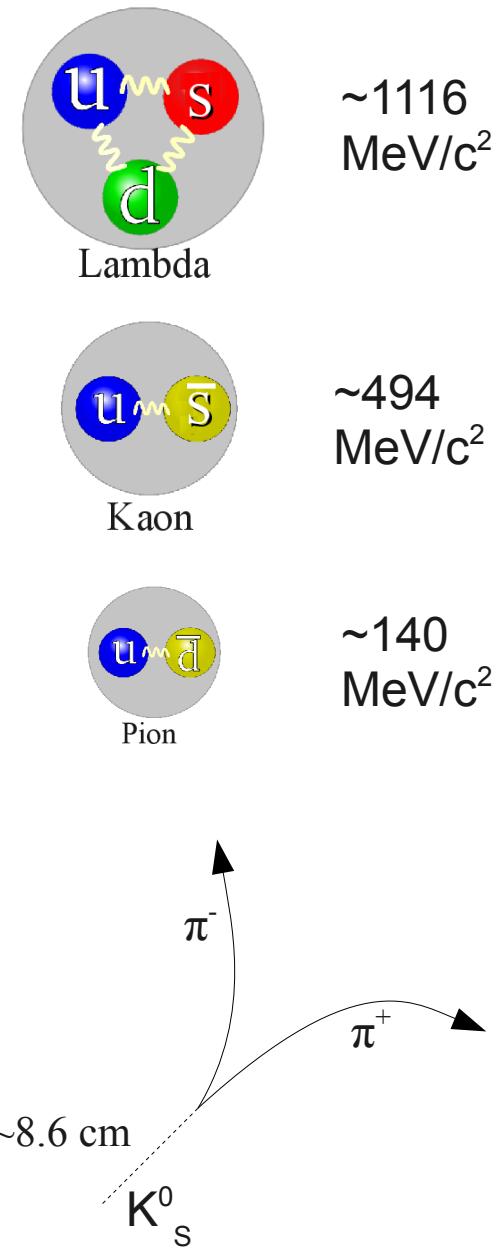
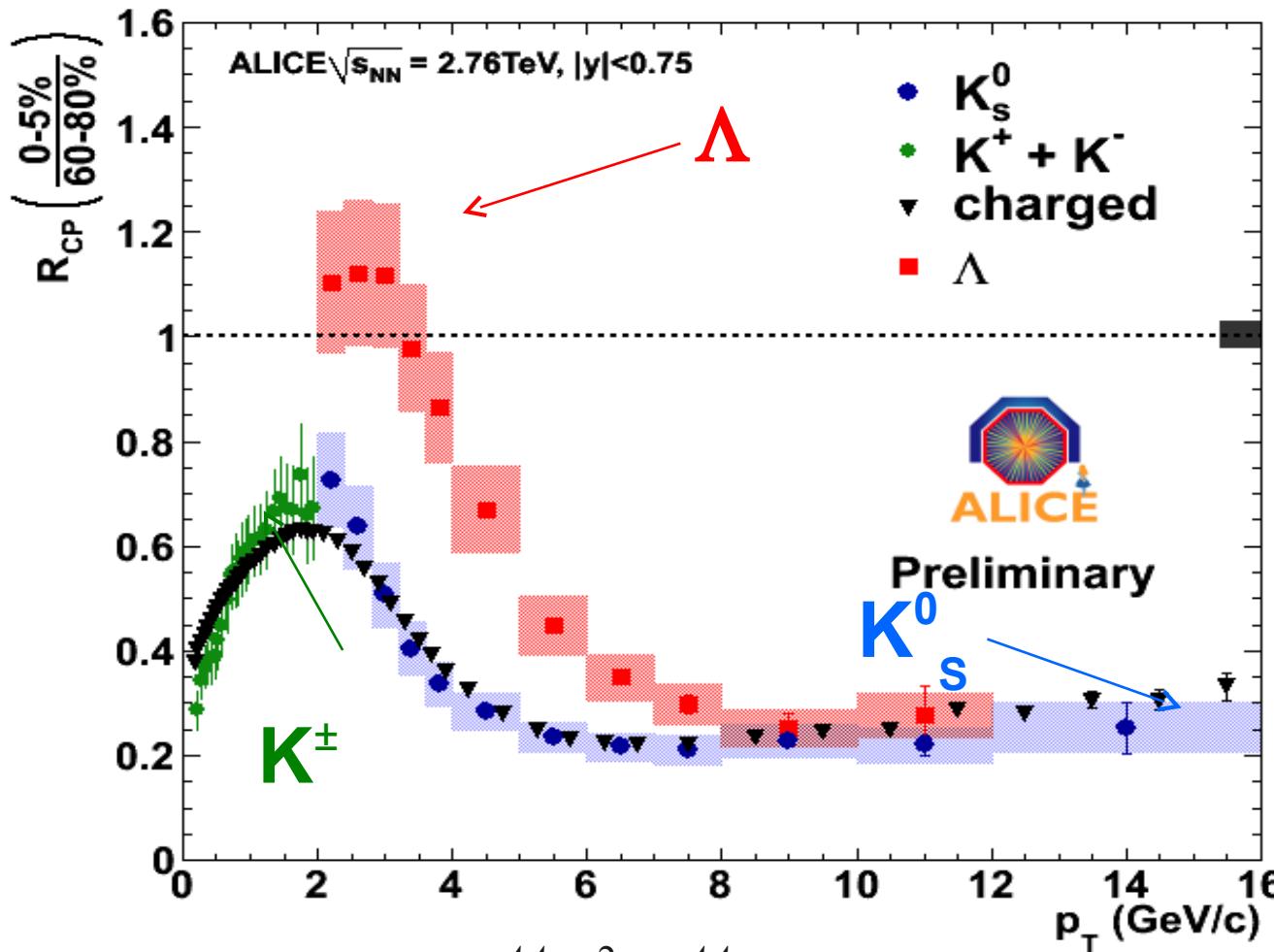
$$R_{AA} = \frac{1/N_{evt}^{AA} d^2 N_{ch}^{AA} / d\eta dp_T}{\langle N_{coll} \rangle (1/N_{evt}^{pp}) d^2 N_{ch}^{pp} / d\eta dp_T}$$

Nuclear modification factor (R_{AA})



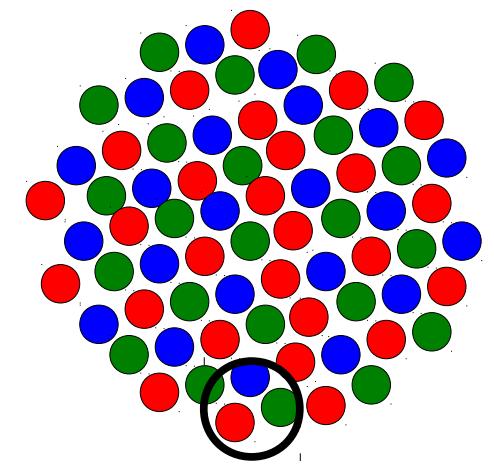
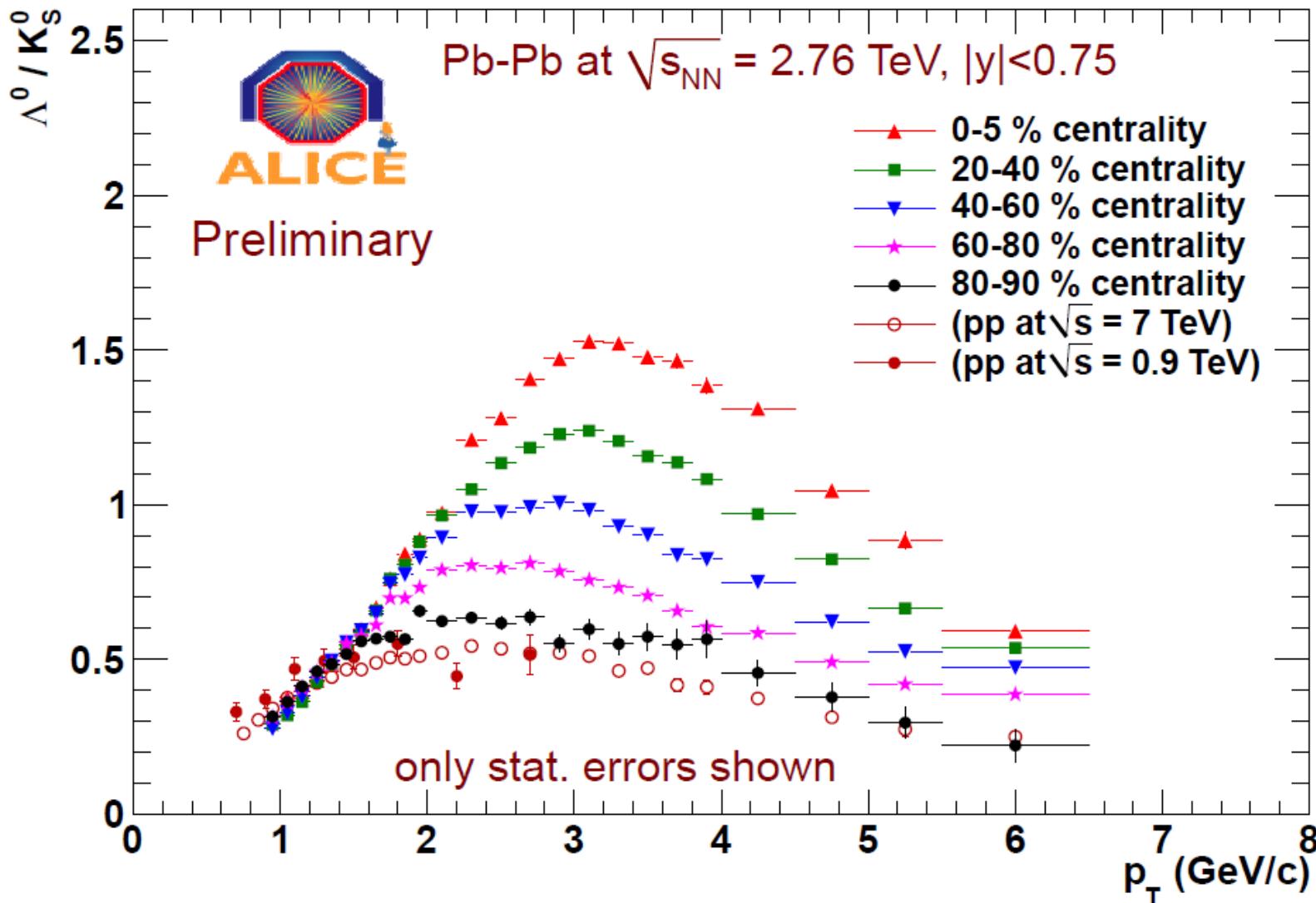
$$R_{AA} = \frac{\frac{1}{N_{evt}^{AA}} d^2 N_{ch}^{AA} / d\eta dp_T}{\langle N_{coll} \rangle \left(\frac{1}{N_{evt}^{pp}} \right) d^2 N_{ch}^{pp} / d\eta dp_T}$$

Nuclear modification factor (R_{AA})



$$R_{AA} = \frac{1/N_{evt}^{AA} d^2 N_{ch}^{AA} / d\eta dp_T}{\langle N_{coll} \rangle (1/N_{evt}^{pp}) d^2 N_{ch}^{pp} / d\eta dp_T}$$

Baryon anomaly: Λ/K^0_S



Recombination

Ann.Rev.Nucl.Part.Sci.58:177-205,2008